

**FIRST PRINCIPLE INVESTIGATION OF CsXBr_3 ($X=\text{Si, Ge}$) FOR SOLAR
CELLS APPLICATIONS**

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**A Thesis Submitted to the Institute of Postgraduate Studies of Kabarak University
in Partial Fulfillment of the Requirements for the Award of Master of Science in
Physics Degree**

KABARAK UNIVERSITY

NOVEMBER, 2025

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ACKNOWLEDGMENT

This study could not have been completed without the valuable contributions of all those who sacrificed their time to offer assistance to me. First, I am grateful to my supervisors, Dr. Phillip Otieno Nyawere and Dr. Elcah Wabululu, for their scientific expertise, criticisms, guidance, and friendly assistance during my master's programme. Their suggestions were very pertinent at various stages of the research and the writing of the thesis.

I thank the Center for High-Performance Computing (CHPC) in Cape Town, South Africa, for providing a High-Performance Computing facility that was used for all the calculations in this thesis. Also, my appreciation goes to the Materials Science and Solar Energy Network for Eastern and Southern Africa (MSEESA) and Kabarak University for providing me with the platform to present my work, as well as networking with other researchers and workshops organized to give a wider understanding of DFT and the quantum ESPRESSO software, which greatly helped me in my research.

Finally, I acknowledge my wife, Delly, and my children, Warren, Scott, and Dency: It is their prayers, patience, and support that enabled the success of this work.

Any shortcoming therein is my responsibility.

DEDICATION

This study is dedicated to my parents for modeling me within a context of total want and for training me to be a character of total resilience.

ABSTRACT

Lead has been at the core of many recent studies on solar cells because it has unique properties that enhance light absorption and charge transport. Most of these studies are not practically employed due to the toxicity and instability of lead. This study focused on finding an alternative to lead that maintains or exceeds its performance in solar cells. The development of environmentally friendly, stable, and efficient perovskite materials for future solar cell applications has long-term practical significance and can eventually be commercialized. The current reported efficiency in MAPbBr₃ is of the order of 22%, and this research aims to explore whether this efficiency could be improved beyond having lead in the crystal. It is for this reason that density functional theory, using the GGA-PBE and HSE06 correlation functionals, was employed on CsXBr₃ (X=Si, Ge) to understand their optoelectronic properties and to calculate their efficiency as potential solar cell materials. The trends in electronic band structure in the cubic phase of CsXBr₃ all-inorganic perovskites for X= Cs, Ge were determined. The absorption spectrum was calculated using a simplified mathematical function that approximated the real spectrum. Here, the absorption spectra of CsXBr₃ (X = Si, Ge) perovskites were calculated at the quantum-mechanical level of accuracy using the DFT method. This realistic absorption spectrum was employed in Quantum Espresso and Siesta, with post-processing using the Yambo package. The materials exhibited optical absorption of over 10⁵ cm in the ultraviolet spectrum. Determination of elastic, electronic, structural, and optical properties in the cubic stable phase of CsXBr₃ (X=Si, Ge) was done, and the solar conversion efficiency of CsXBr₃ (X=Si, Ge) were 11.02 % and 11.65 % respectively, under standard solar illumination conditions. The band gap of 0.7eV and the Poisson's ratio (ν) of 0.36 for CsGeBr₃ were obtained. While for CsSiBr₃, the band gap of 0.29 eV and Poisson's ratio (ν) of 0.255 were obtained. Dielectric constants, which include the real (ϵ_1) and imaginary part (ϵ_2) of CsGeBr₃ and CsSiBr₃, were 2.0 eV and 2.7 eV, and the absorption begun from 2.5eV to match the band gap. The results obtained can be used in experimental research to develop CsGeBr₃ and CsSiBr₃ materials as potential high-performance solar cells with higher efficiencies and good performance, and to verify experimentally the use of CsGeBr₃ and CsSiBr₃ perovskites in solar cells. The results are significant in determining a suitable solar cell material for industrial applications. The study dealt only with theoretical findings on the structural, electronic, dielectric, and elastic properties of CsGeBr₃ and CsSiBr₃ at ground-state conditions. The structures were optimized using the Murnaghan equation of state in LUNA Quantum Espresso. It was concluded that the cubic phase of CsGeBr₃ and CsSiBr₃ are suitable materials for solar cell materials because of their suitable band gap. An extension of this work could be to use other exchange-correlation functionals.

Keywords: *Solar Cell, First Principle, Density Functional Theory, Perovskites, Quantum Espresso, Siesta.*

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LIST OF ABBREVIATIONS AND ACRONYMS

CASTEP	Cambridge Sequential Total Package
DFT	Density Functional Theory
DOS	Density of State
EoS	Equation of State
E	Electronic Charge
E_g	Band Gap
ESPRESSO	Open Source Package in Electronics
GGA	Generalized Gradient Approximation
H	Total Hamiltonian
KS	Kohn-Sham
PAW	Projected Augmented Wave
PAW	Perdew-Burke-Ernserhof
Pb	Lead
PL	Photoluminescence
PCE	Power Conversion Efficiency
SIC	Self-Interaction Correlation
SIESTA	Spanish Initiative for Electronic Simulation with Thousands of Atoms

OPERATIONAL DEFINITION OF TERMS

Band Gap: This is the energy between the valence band maximum of electrons and the conduction band minimum of a solid material for an insulator or a semiconductor, and consists of the range of energy values that are forbidden to electrons in the material.

Electronic Properties: These are parameters and representations that show how electrons behave within a substance.

Optical Properties: The material's response to incident radiation is characterized by reflectance, refraction, transmittance, and absorption.

Mechanical Properties: These are the physical properties exhibited by a material upon application of forces. These properties include the tensile strength, modulus of elasticity, and elongation.

Photoelectric Effect: This is a phenomenon in which electrically charged particles are released from or within the material when light falls on it.

Photoelectron: This is an electron emitted from an atom by an interaction with a photon, especially by the action of light.

Photoluminescence: This is the process by which photons or light energy stimulate a photon's emission. A photon may also be emitted by fluorescence, which elevates a particle to an excited electronic state.

Solar Cell: This is an electrical device that converts light energy directly into electricity through the photovoltaic effect.

Young's Modulus: This characteristic, which is defined as the ratio of malleable pressure measure of power applied per unit area) to tensile strain (the material's ability to stretch and twist effectively).

Bulk Modulus: This is the total change in a body's volume caused by a constant, unit compressive force operating across the surface, or an elastic pressure.

Shear Modulus (G): It is defined as the ratio of shear pressure to shear strain and represents the fraction of a material's versatile shear firmness.

Anisotropy Factor (E): This has a probability thickness and a single dissipating course acting as a boundary. It is the normal of the cosine of the dissipating point.

CHAPTER ONE

INTRODUCTION

1.1 Introduction

This section discusses the background of the concepts of solar cells and the problems to be addressed for the application of CsSiBr_3 and CsGeBr_3 in solar cells. It then proceeds to state the research problem, outline the objectives and research questions to be addressed, and define the study's significance, scope, and assumptions.

1.2 Background to the Study

Perovskite is a term given to all compounds that have the general chemical formula ABX_3 and the crystal structure of calcium titanate, CaTiO_3 . They are Organic-inorganic metal halide perovskites, where A is an organic cation, B is a divalent metal ion, and X is a halide such as $\text{CH}_3\text{NH}_3\text{Pb}_3$ (Methylammonium lead halide). Organic-inorganic hybrid perovskite (OIHP) has an ABX_3 Structure, where A is methylammonium (MA), cesium (Cs), or formamidinium (FA); B is Pb or Sn; and X is I, Cl, or Br (Yu-Ling Sun et al., 2017). High optical absorption coefficient, high carrier mobility, and long carrier diffusion length are significant factors that support OIHP's high efficiency. Currently, the efficiency of perovskite solar cells exceeds that of well-established technologies such as copper-indium-gallium-selenide (CIGS) and cadmium-telluride (CdTe) due to a multilayer coating (Yang, 2016).

However, the high cost of fabricating single-crystalline silicon (sc-Si) has accelerated recent research on next-generation thin-film solar cells to find a solar cell material that is cheaper and less toxic than silicon. Electronic and optical properties of perovskites have been broadly explored by first-principles calculations based on density functional theory (Wang, 2014). Optical activity in a crystal plays a fundamental role in electronic

structure theory and is highly dependent on the electronic band gap (Ling, 2017). Due to the self-interaction error, most electronic structure methods underestimate the electronic band gap and thus poorly define the optical activity in a crystal (Zekry, 2019). As an option to avoid self-interaction errors in DFT, Zhu and co-workers (2014) applied quasi-particle corrections via the GW approach to achieve a realistic DFT description of the orthorhombic and tetragonal MAPbI₃ band gaps.

Solar cells based on hybrid organic-inorganic lead-halide perovskites have significantly increased in efficiency in recent years. Lead is toxic, so the primary challenge with this material is to replace lead in the perovskite crystal with a less toxic, more efficient metal. This has led to the search for related compounds that may replicate the properties of hybrid lead-halide perovskites, which are less toxic and more efficient (Noel *et al.*, 2014), hence the need for this study.

First-principles computation is a quantum-mechanical method that aims to solve the electronic Schrödinger equation using the positions of the nuclei and the number of electrons in the system. This numerical simulation is essential in exploring structural, electronic, elastic, and optical properties. The studies by Babkin *et al.* (2011) point out that band-structure calculation is an effective theoretical tool for predicting such properties. This study endeavors to employ first-principles calculations on the elastic, electronic, and optical properties of CsGeBr₃ and CsSiBr₃ to assess their suitability for solar cell applications.

1.3 Statement of the Problem

The problem in this work is two-fold: (i) Lead has been at the core of many studies on solar cells in the recent past. It has portrayed excellent performance theoretically. Most of these studies are not practically employed due to the toxicity and instability of lead (Madeeha, 2020). This study focused on finding an alternative to lead that maintains or

exceeds its performance. The development of environmentally friendly, stable, and efficient perovskite materials for future photovoltaic applications has long-term practical significance and can eventually be commercialized, hence the need for this study. (ii) The current reported efficiency in MAPbBr_3 is of the order of 22%, which this work explored whether this efficiency could be improved, but beyond having lead in the equation. It is for this reason that first-principles calculations were employed on CsXBr_3 ($X=\text{Si, Ge}$) to elucidate their stability, elastic and optical properties, and to assess their efficiency as potential solar cell materials.

1.4 Objectives

The main objective of this study was to determine the structural, elastic, electronic, and optical properties of CsXBr_3 ($X = \text{Si, Ge}$) for solar cell applications using Density Functional Theory.

1.4.1 Specific Objectives

The specific objectives of this study were to;

- i. Determine the stable phase of CsXBr_3 ($X = \text{Si, Ge}$) using density functional theory, with practical applications as solar cell materials.
- ii. Compute the elastic constants of the cubic phase of CsXBr_3 ($X=\text{Si, Ge}$) and their application to solar cells using density functional theory.
- iii. Determine the electronic structure of the cubic phase of CsXBr_3 ($X=\text{Si, Ge}$) and their application to solar cells using density functional theory.
- iv. Study the optical properties of the cubic phase of CsXBr_3 ($X=\text{Si, Ge}$) using density functional theory and its application to solar cells.

1.5 Research Questions

In order to guide this study, the following research questions were used:

- i. Which is the stable phase of CsXBr_3 ($X=\text{Si}, \text{Ge}$) that will have practical applications as solar cell materials?
- ii. What are the values of the elastic properties of the cubic phase of CsXBr_3 ($X=\text{Si}, \text{Ge}$) that will render these materials suitable for solar cells?
- iii. What are the electronic structure properties of the cubic phase of CsXBr_3 ($X=\text{Si}, \text{Ge}$) that make these materials suitable for solar cells?
- iv. What are the optical properties of the cubic phase of CsXBr_3 ($X=\text{Si}, \text{Ge}$) in comparison to other studies that will render them suitable for solar cells?

1.6 Significance of the Study

The properties under study were elastic, optical, and electronic, which are used in solar cell devices according to Burgelman et al. (2004). The study will provide significant information for the design of less toxic, more efficient solar cell devices. It will also provide vital information to experimentalists and fabricators of solar cells on the elements to be employed to achieve a stable solar cell, as compared to lead-based cells, which are unstable and toxic, and whether this type of perovskite will exhibit a longer lifespan and higher current density.

1.7 Justification of the Study

While there is much published work on perovskites related to inorganic-organic compounds, there is insufficient literature on all inorganic perovskites with lead as an element in the equation. The toxicity of lead, along with its low efficiency below 22%, has intensified research aimed at developing environmentally friendly solar cell materials with efficiency above 22%. This will have applications in electronics, solar technology,

and optoelectronics. Therefore, by conducting this study on the performance of CsXBr_3 ($X=\text{Si, Ge}$) for solar cell applications to replace lead in the equation, it is expected that the results will serve as an essential consideration for experimentalists and solar cell manufacturing companies when designing solar cell materials. The study shows that the cubic phase of Ge and Si halide perovskite can be used in solar cell fabrication. The results of this study should therefore serve as an alternative to the experimental fabrication of Ge- and Si-based halide perovskites for solar cells. It is further expected that the study's results will contribute to the body of knowledge regarding CsGeBr_3 and CsSiBr_3 halide perovskites.

1.8 Scope of the Study

This study focused on the elastic, optical, electronic, and dielectric properties of CsSiBr_3 and CsGeBr_3 . The findings are crucial for determining the solar-cell applications of all-inorganic halide perovskites. Computational modeling methods based on Density Functional Theory (DFT) were used and limited to the cubic phase of these perovskites. Quantum ESPRESSO was used to study electronic properties; the Siesta code was used to study Optical and mechanical properties, and Thermo_pw was used to study elastic properties.

All the calculations were done at 0K and 0Gpa. The Plane Waves, as implemented in the Quantum ESPRESSO code, were used as the basis sets. The study focused only on the cubic phase of these structures after ascertaining its stability. The distortions were mild to remain within the structure.

1.9 Assumptions

The following presumptions were made:

- i. Analysis was performed using the plane wave formalism in DFT calculations in the Quantum ESPRESSO code, which was utilized in obtaining the desired material properties.
- ii. Data and information on the properties of CsGeBr₃ and CsSiBr₃ and other similar works would be available for comparison.
- iii. The time for the research would be sufficient to give answers to the stated objectives.

CHAPTER TWO

LITERATURE REVIEW

2.1 Introduction

This chapter discusses the properties of inorganic-inorganic perovskites that are relevant to their applications in solar cells. Literature on elastic, structural, electronic, optical, and the insight of power conversion efficiency will be discussed. The Conceptual framework will also be presented and discussed.

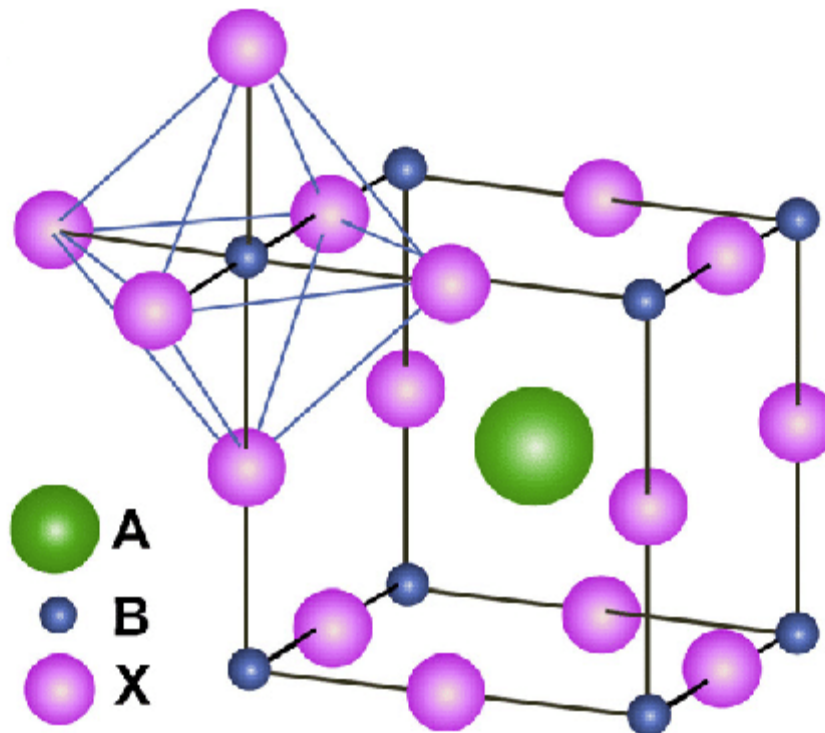
2.2 Perovskites for Solar Cells

Perovskites are a group of crystals that exhibit characteristics for applications in nanotechnology, especially nanostructured solar cells (Logothetidis, 2012). They are found as oxides and non-oxides, with silicates being the most common, but they also occur as fluorides, arsenides, and intermetallic compounds. While natural perovskite minerals are few, synthetic perovskites cut across the periodic table in terms of composition of elements, and they can exist in complex formulas such as metallic perovskites, hybrid organic–inorganic perovskites, metal-free perovskites, and even inert gas-based perovskites. These materials are usually inexpensive to produce and easy to manufacture. They have a broad absorption spectrum, fast, long-range electron and hole transport, and long carrier separation lifetimes as their intrinsic properties, making them suitable materials for solar cells (Logothetidis, 2012).

Perovskites exhibit an atomic arrangement in a 3-dimensional array of corner-sharing octahedra. Conversely, layered perovskites consist of 2-dimensional layers of corner-sharing octahedra separated by cation layers. Hence, the electronic energy bands of perovskites and layered perovskites are unusual, and their structure is unique (Atta *et al*, 2016) as in figure 1 below;

Figure 1

Octahedral Structure of Perovskites



Inorganic-organic $\text{CH}_3\text{NH}_3\text{PbI}_3$ -based perovskite solar cells have been widely studied because, after conversion efficiency reached 15% in 2013, higher efficiencies have been achieved across various processes and device structures, with conversion efficiency exceeding 20% (Gao *et al.*, 2023).

With rapid progress in power conversion efficiency (PCE) to reach 25%, metal halide perovskite-based solar cells became a game-changer in the photovoltaic performance race. The characteristic features of perovskite materials may enable further advancement of PCE beyond that afforded by silicon solar cells toward the Shockley–Queisser limit (Young *et al.*, 2011).

Lead-based perovskite material toxicity, device hysteresis, and perovskite material stability are major challenges that need to be overcome for it to be practically applied in real life. Challenges posed by environmental factors such as moisture, oxygen,

temperature, and light remain unanswered. The lead toxicity of PSCs demands a lead substitute with no compromise in their efficiency.

2.3 Solar Cell Structure and Mechanism

A solar cell is an electronic device that directly converts sunlight into electricity. Light shining on the solar cell produces both a current and a voltage, generating electric power. This process requires, first, a material in which light absorption raises an electron to a higher energy state, and second, the movement of this higher-energy electron from the solar cell into an external circuit. The electron then dissipates its energy in the external circuit and returns to the solar cell. A variety of materials and processes can potentially satisfy the requirements for photovoltaic energy conversion. However, in practice, nearly all photovoltaic energy conversion uses semiconductor materials in the form of a p - n junction.

Figure 2

Solar Cell Structure

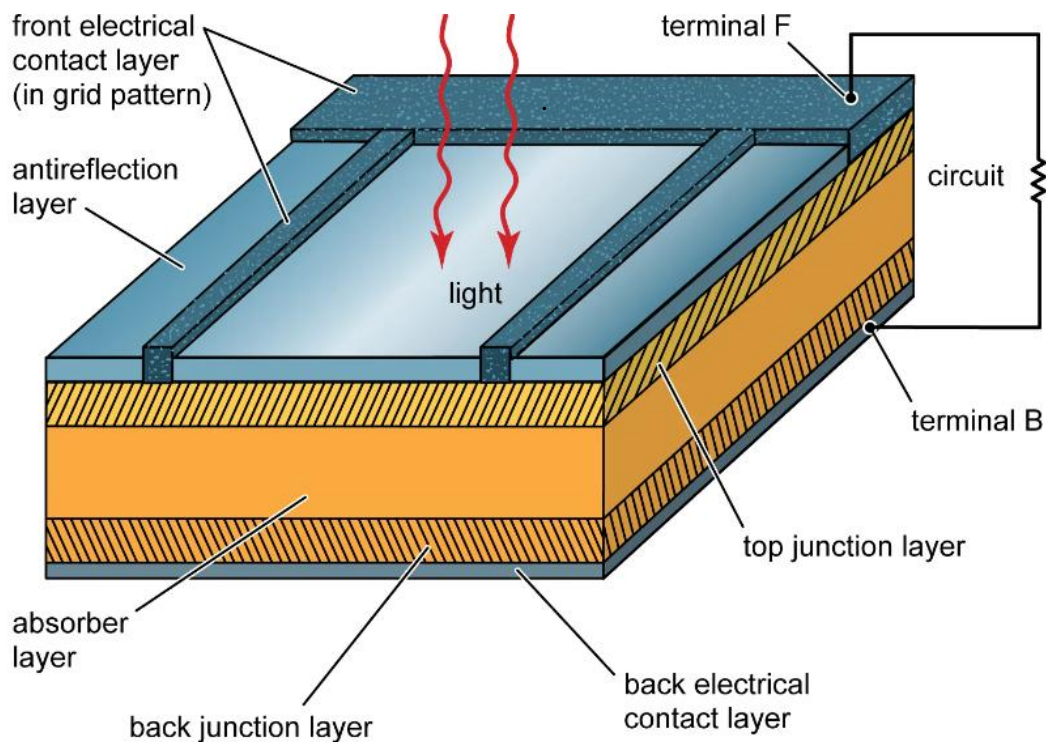


Figure 2 above depicts a commonly used solar cell structure. The absorber layer and the back junction layer are both made from the same material. Light enters the device through an optical coating, or antireflection layer, which minimizes reflection losses and effectively traps light incident on the solar cell by promoting its transmission to the energy-conversion layers.

2.4 Solar Materials Beyond Lead

The toxicity of lead-based halide perovskites hinders their large-scale commercial use in solar cells. Perovskite solar cells (PSCs), as a promising category of solar cells, have attracted attention in the past due to their high absorption coefficient, bipolar charge mobility, long carrier diffusion length, low exciton binding energy, low trap-state density, and tunable band gap (Xing *et al.* 2013).

Filip *et al.* (2014) considered stability and the desired band gap as two factors for suitable lead-free perovskite materials. They used random structures (atom positions and lattice parameters) to investigate the stability of possible lead-free perovskites. Considering stability and the band gap as significant factors, the crystal structure retains the perovskite geometry after relaxation, and the relativistic band gap is less than 2.0eV. In subsequent research, it was shown that Cu, Ag, Bi, and Sb can also replace Pb to form perovskites. This study replaced Pb with Si and Ge. To maintain charge neutrality, the heterovalent replacement can be divided into three subcategories: cation splitting, mixed-valence anion, and ordered vacancy. Cation splitting is used to form a double perovskite structure. The perovskite can maintain electrical neutrality by forming ordered vacancies.

Many theoretical studies have been conducted on Pb replacement with various elements, e.g., Sn and Bi. These studies reveal the merits and demerits of different lead-free

perovskite materials. In the process of studying the optoelectronic properties of MASnI_3 using the GW+SOC method, the researchers found that compared with MAPbI_3 , MASnI_3 showed a stronger s-p antibond coupling near the maximum value of the valence band (Varmo P.C.,2018). This occurrence was because the Sn 5s lone pair is shallower and more active than the Pb 6s lone pair. As a result, the band gap of MASnI_3 is lower than that of MAPbI_3 .

2.5 Ge-Based Perovskite Materials

Ge could be a suitable substitute for Pb as a new type of lead-free perovskite material. Band gaps of the Ge-based perovskites can be tuned to values close to those of conventional lead halide photocells (1.5 eV) by altering A-site cations (Bitnar, 2014).

Kanatzidis *et al.* (2015) examined a series of AGeI_3 perovskite compounds and characterized their structural, electronic, and optical properties. The band gaps of the Ge-based perovskites increase with the increased radius of the A-cation. For instance, CsGeI_3 has an optical band gap of 1.63 eV, whereas other AGeI_3 perovskites universally exhibit wide band gaps of ≥ 2.0 eV (Khan et al., 2013). This study endeavors to ascertain whether CsGeBr_3 and CsSiBr_3 have a band gap wider than this and to determine their suitability for the absorption of ultraviolet radiation.

Kanatzidis *et al.* (2015) used the pyramidal $[\text{GeI}_3]$ building block to synthesize a series of Ge-based perovskites and to replace their A-site cations. The experimental data showed that CsGeI_3 , MAGeI_3 , FAGeI_3 , and $\text{CH}_3\text{C}(\text{NH}_2)_2\text{GeI}_3$ were 3D perovskite structures with direct band gaps of 1.6, 1.9, 2.2, and 2.5 eV, respectively. At the same time, $\text{C}(\text{NH}_2)_3\text{GeI}_3$, $(\text{CH}_3)_2\text{C}(\text{H})\text{NH}_3\text{GeI}_3$, and $(\text{CH}_3)_3\text{NHGeI}_3$ were 1D infinite chain structures separately with indirect band gaps of 2.7, 2.5, and 2.8 eV. CsGeI_3 exhibited the highest optical absorption coefficient and demonstrated greater application potential in the photovoltaic field.

Ran *et al.* (2009) reported a uniform, pinhole-free $(\text{CH}_3\text{NH}_3)_3\text{Bi}_2\text{I}_9$ thin film via a two-step evaporation spin. They optimized film-forming conditions by comparing the integrated current from IPCE measurements and formed packed $(\text{CH}_3\text{NH}_3)_3\text{Bi}_2\text{I}_9$ thin films. Using this strength, they manufactured an inverted planar heterojunction photovoltaic device with a PCE of 0.39% and a high V_{oc} of 0.83 V, which gave the lowest loss-in-potential to date in $(\text{CH}_3\text{NH}_3)_3\text{Bi}_2\text{I}_9$ -based solar cells. Park *et al.* (2015) developed more efficient solar cells using MA cations in Bi-based perovskite in place of Cs cations. Based on that research, Johansson *et al.* used $\text{Cs}_3\text{Bi}_2\text{I}_9$, a bismuth halide, as the light absorber in their solar cells.

Although researchers have achieved positive results with Bi-based perovskites, the performance of their perovskite solar cells remains low due to their large band gaps, large carrier effective masses, high exciton binding energies, increased internal defects, and defect intolerance. This current study focuses on finding an alternative to lead that maintains or surpasses its performance. The current reported efficiency in MAPbBr_3 is of the order of 22%, and this research aims to explore whether this efficiency can be improved. It is for this reason that this study employed first-principles calculations on CsXBr_3 ($X = \text{Si}, \text{Ge}$) to understand their optoelectronic properties and to assess their performance as potential solar materials.

2.6 Si-Based Perovskite Materials

A silicon-based perovskite was investigated within the framework of density functional theory (DFT) for application in solar energy harvesting technology. The DFT calculations were carried out at the GGA-PBEsol and GGA-HTCH/407 levels of theory to explore the structural, electronic, and optical properties of the silicon hybrid organic-inorganic perovskite, $\text{CH}_3\text{NH}_3\text{SiI}_3$ (MASiI_3), and the results were compared with those of the popular Pb-containing perovskite, $\text{CH}_3\text{NH}_3\text{PbI}_3$ (MAPbI_3). The structure of

MASiI₃ is reported as cubic based on a Goldschmidt tolerance factor of 0.93, which falls within the range for the formation of stable cubic perovskites. It is found that MASiI₃ is a direct-band-gap semiconductor exhibiting n-type extrinsic behavior. The optical activities indicate intense absorptions in the ultraviolet and visible regions, which are needed for high photovoltaic activity.

The high absorption coefficient of MASiI₃ in the 105 region is comparable to that of MAPbI₃, indicating that the active absorber layer can be structured into a thin film for high-power-efficiency conversion. The results of this study imply that perovskite absorbers can incorporate silicon (Si) instead of lead (Pb) to eliminate Pb toxicity, which raises environmental concerns in hybrid organic-inorganic perovskites (HOIPs).

Many modifications were explored to promote the development of Si-based solar cells in order to attain lower fabrication costs. These include structures with micro-gratings which have vertical sidewall emitter contacts (Yang, 2012), micro-pillars with Cu nanoparticles (Zhang, 2018), nanorods with a high-doped pn-junction in the radial path (Garnett, 2008), and npn microstructure based on high-doped wafers (Salem *et al*, 2008), among other structures. However, other counterparts are being investigated to achieve an optimum efficiency-to-cost ratio. In this regard, many promising materials have been recognized for potential use in thin-film solar cells (TFSCs). These materials reveal high PCEs, for example, over 25% for perovskite, 21% for CdTe, 23% for copper indium gallium selenide (CIGS), and 19% for organic TFSCs (UNIST, 2021). Among these materials suitable for TFSCs, perovskite and organic materials have attracted many researchers owing to their common advantages, including low cost, low-temperature solution processing, and simple fabrication steps (Chen et al., 2021).

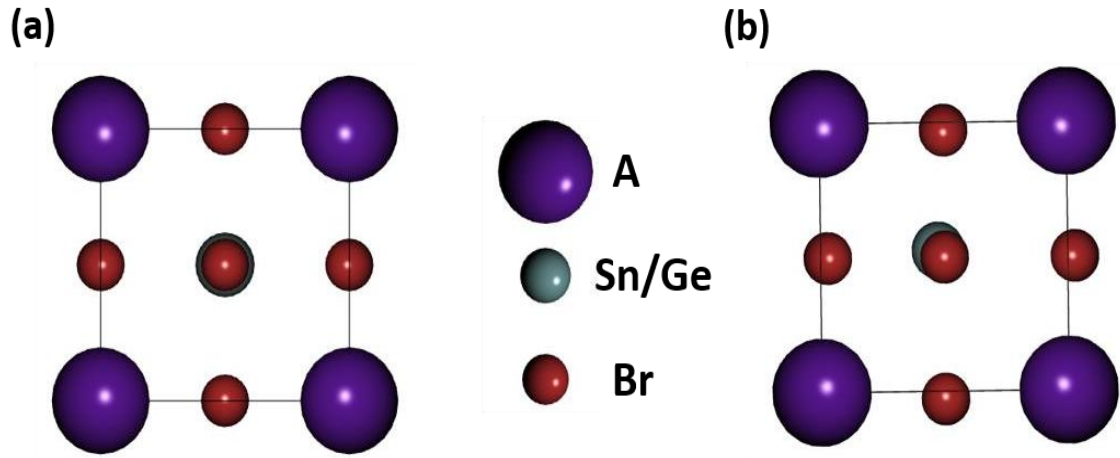
2.7 Structural and Electronic Properties of Perovskite Materials

The perovskite solar cell first reported a PCE of 2.2% (Miyasaka *et al.*, 2006), which reached 3.8% in 2009. In 2018, a research report on a PCE of 27.6% was published, stating that a PCE of 30% or more was possible by the end of 2020, but in 2020, the US National Renewable Energy Laboratory certified a perovskite solar cell with a max. PCE of 25.5%. Researchers found hope for mixed halide perovskites from a comparative study of different structures. Thus, organic-inorganic lead halide perovskite solar cells have drawn incredible attention in the scientific community as alternative competitors to some inorganic photovoltaic materials, such as copper-indium-gallium-sulfide-selenide (CIGS), cadmium telluride (CdTe), amorphous or single-crystal silicon (a-Si or c-Si), iron disulfide (FeS₂), and gallium arsenide (GaAs). Though multi-junction AlGaInP, AlGaAs, GaAs, and GaInAs cells are certified as 47.1% efficient in the present research (Geisz *et al.*, 2020), all of these compounds are expensive due to the presence of scarce elements, In and Ga, and they are also toxic as they contain As and Pb. Hence, metal halide perovskite solar cells have a great potential to replace the dominant Si-based solar cells by proper selection of atoms in the right place (Zhang, 2016).

The three phases (cubic, tetragonal, and monoclinic) of CsGeBr₃ were primarily chosen as the highest-temperature phases of the cubic structure to perform numerical operations for high-temperature device applications. The optimized-cell structure of CsGeBr₃ was determined, and then the Br atom was replaced by Cl and I atoms, which were then optimized for CsGeBr₃ and CsSiBr₃ perovskite structures, as shown in Figure 3 below.

Figure 3

The Cubic Phase of CsGeBr₃ and CsSiBr₃ represented as balls and sticks.



Nonetheless, the present investigation guarantees that multi-junction AlGaInP, AlGaAs, GaAs, and GaInAs cells are 47.1% effective (Geisz J.F *et al.*, 2020). Due to the lack of components, In and Ga, all of these compounds are expensive and toxic. Additionally, because they contain As and Pb, which are toxic. As a result, by properly placing atoms in the right positions in the structure, metal halide perovskite solar cells have a good opportunity to replace the dominant Si-based solar cells (Zhang, 2016).

2.8 Elastic Properties of All Inorganic Perovskites for Solar Cell Application

The crystallinity and stress state of the perovskite layer can strongly affect the absorption performance of the perovskite solar cell, and the elastic properties of the perovskite layer material can reveal its strain, stress, fracture mechanics, and deformation. So, it is necessary to analyze the elastic properties of perovskite in the system for practical applications (Krishnamoorthy, 2015). Elastic properties describe the mechanical behavior of materials under strain. The elastic constants C_{ij} are obtained by calculating the total energy as a function of volume-conserving strains using the Mehl method (Rai, 2017). According to the obtained elastic constants, the other interesting elastic properties for applications such as elastic anisotropic factor (A), bulk modulus (B), shear modulus

(G), Young's modulus (E), and Poisson's ratio (ν) can be obtained.

2.9 Optical Properties of Perovskite and Applications in Solar Cells

Many application fields, such as absorbers, reflectors, optical coatings, and various optoelectronic devices, are examined based on their optical responses. In the presence of an external electromagnetic wave, the photonic interactions of the material can provide information on the properties and application predictions as a function of energy. These properties are analyzed for electronic transitions between occupied and empty states, band structures, bond types, and the internal structures of the materials based on their optical spectra. The Kramers follows the frequency-dependent complex dielectric function–Kronig transformation as $\varepsilon(\omega) = \varepsilon_1(\omega) + i\varepsilon_2(\omega)$, which is also related to the representation of relative permittivity. The imaginary part of this complex function is,

$$\varepsilon_2(\omega) = \frac{2e^2\pi}{\Omega\varepsilon_0} \sum_{k,v,\lambda} k \Psi_k^c \left| \Psi_k^v \right|^2 \delta(E_k^c - E_k^v - E) \quad \dots (1)$$

where $\omega = 2\pi\nu$ is the frequency of the incident photon and e is the electronic charge. Whereas, Ψ_k^c and Ψ_k^v are the wave functions of the conduction and valence bands at K , respectively. Using ε_1 and ε_2 , other optical properties such as absorption coefficient $\alpha(\omega)$, optical conductivity $\sigma(\omega)$, loss function $L(\omega)$, reflectivity $R(\omega)$, and refractive index $n(\omega)$ can be calculated.

2.10 Photovoltaic Application of Perovskite

In establishing the photovoltaic applicability of perovskite solar cells, Granas et al. (2016) investigated the impact of the perovskite structure on photovoltaic performance in the presence of different ions at the A, B, and X sites, using electronic structure calculations. Their results showed that the level of alignment between the electron- and hole-transporting media is key to achieving maximum efficiency in heterogeneous

positive-intrinsic-negative (PIN) junctions. Low-dimensional perovskite formed by replacing small hydrophilic cations with much bulkier organic ones can improve the stability of Hybrid Perovskite Solar Cells (HPSCs) upon exposure to moisture. The preferential crystal orientation and high degree of crystallinity are fundamental to improving solar cell performance. The 2D/3D-based Hybrid Perovskite Solar Cells are highly stable upon exposure to light or ambient conditions, due to the enhanced robustness of the perovskite film.

The power conversion efficiency of perovskite solar cells is high, depending on the chemical composition of the perovskite layer and the electronic structure properties of the electron- and hole-transporting media, as predicted by the Shockley-Queisser triangle (Muhammad et al., 2019). Other approaches will result in lower power conversion efficiency.

2.11 Properties, Advantages, and Challenges of Perovskite Solar Cells

Some of the properties of organic-inorganic hybrid perovskite materials that make them potentially applicable to solar cell devices include: first, their light-harvesting characteristics and good hole-transporting properties (Liu *et al.*, 2013). Secondly, the printing techniques that use low-temperature solar cell processing enable deposition on a flexible substrate (Fan *et al.*, 2014). Thirdly, low energy loss due to increased light absorption, thereby increasing photo-generated free charge carrier generation. This enables charges to be generated, thereby increasing charge collection at the electrodes (Stranks *et al.*, 2013). Lastly, low processing cost and high efficiency, which means a low energy payback time.

Despite the aforementioned advantages of organic-inorganic hybrid perovskites, perovskite solar cells still face several challenges that hinder their large-scale commercial use. These challenges include, but are not limited to: First, lead, one of the

most widely used elements in perovskite solar cells, is toxic and unstable. Hence, environmentally friendly materials such as silicon and germanium have recently been proposed as alternatives to lead perovskites for solar cell applications. Secondly, perovskite materials are crystalline, thus extremely sensitive to humidity and dissolve easily. However, it has been addressed by preparing them under an inert atmosphere, as described by Mitzi *et al.* (1995). It is then followed by encapsulating the whole device within the air-tight sealant in the same inert condition. This is not cost-effective for large-scale production; however, it has been used to reduce the degradation and oxidation of Sn²⁺ to Sn⁴⁺, thereby increasing the lifetime of tin perovskite solar cells for up to 4 months (Noel *et al.*, 2014). Lastly, sequential deposition of the constituent perovskite materials has been used to obtain a continuous film over a larger area without degradation of cell efficiency (Burschka *et al.*, 2013).

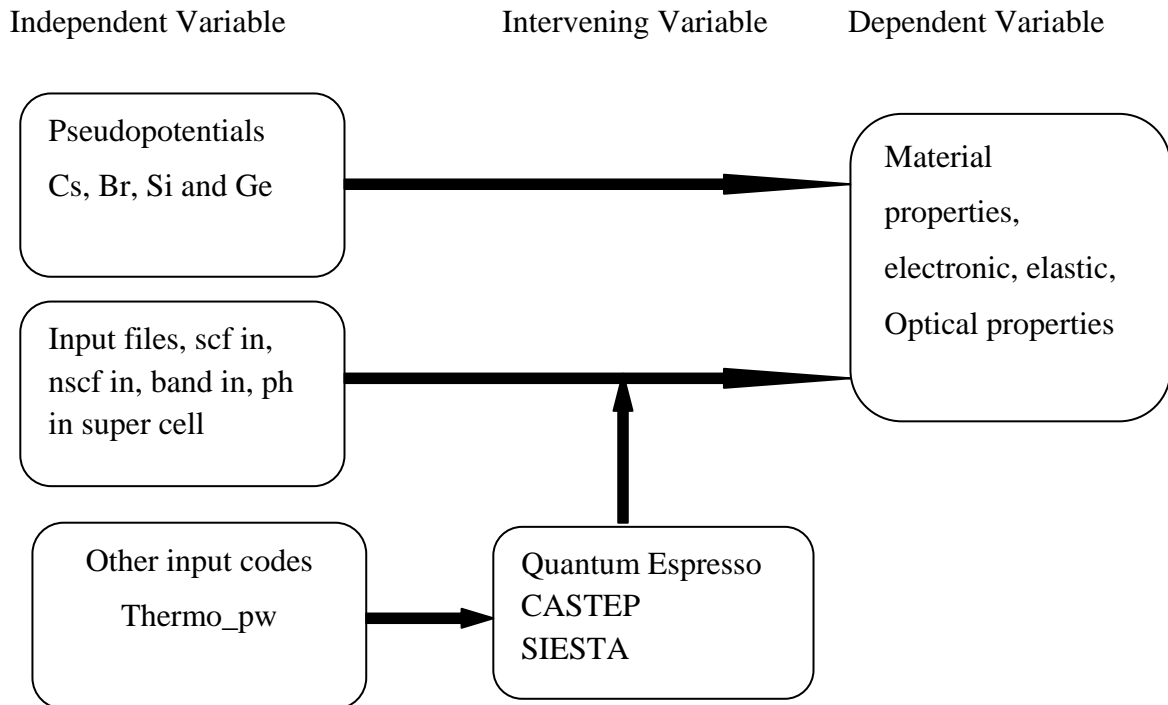
2.12 Research Gaps

Lead has been at the center of most solar cell devices because of its lower soldering temperatures, superior photovoltaic properties, and high optical absorption coefficient. However, its toxicity and its presence in isotopes have limited its use on a large scale. Also, the reported efficiency is of the order 25.5% which this study explored, showing that higher efficiency can be obtained by substituting lead with germanium or silicon in the equation. The optimum bandgap energy E_g for a single-junction solar cell is 1.34 eV under AM 1.5G solar illumination, with a PL quantum efficiency of 100%, as derived from detailed balance theory.

2.13 Conceptual Framework

Figure 4

Conceptual Framework



Source: Researchers own conceptualization

Figure 4 above illustrates the conceptual framework. It has three sets of variables: the dependent, independent, and intervening variables. The independent variables are the material properties obtained from the input files, the pseudopotentials, and thermo-pw. The dependent variable is the solar cell application of Ge-halide perovskite, while the software used is the intervening variable. It was hypothesized that the stated variables would influence the solar cell performance of Ge- and Si-halide perovskite. This general hypothesis guided this study. The properties were obtained by calculating total energies and lattice parameters, studying band structures, elastic constants, and absorption efficiencies.

CHAPTER THREE

RESEARCH METHODOLOGY

3.1 Introduction

In this chapter, an overview of the methods used in performing this research is provided. The chapter provides the theory behind Density Functional Theory, and the procedure used to obtain the results is discussed. Computational modeling describes the properties of matter based on equations. Computer simulation is performed by running programs implemented in the Quantum Espresso and SIESTA codes. The device structure used for the simulation and optimization is described.

3.2 Description of the Working of Quantum ESPRESSO and Siesta Codes

Quantum ESPRESSO is software for first-principles calculations and modeling, written in Fortran. It consists of Theory (DFT), basis sets, and pseudopotentials. The plane-wave DFT function of QE was provided by the plane-wave self-consistent field (PWscf). These PWscf were used to solve the self-consistent Kohn-Sham equations, perform total-energy calculations, and enable post-processing for data analysis and plotting. QE calculates the ground-state energy and one-electron Kohn-Sham orbitals to determine atomic forces, stresses, and structural optimization. Input cards are specific to the software code and are used to provide the required input data. The data runs programs scf, nscf, and bands to obtain the band structure and optimize the K points, Cutoff energy, and Symmetry points. The PWscf modules supported by the software include pw.x for input data and pp.x for post-processing.

The codes for data post-processing (PP) in pp.x extract the specified data from files produced by pw.x and prepare the data for plotting by writing them in formats that can be read by the plotting programs bands.x, plotband.x and dos.x. The bands.x files

produced by pw.x were essential for band-structure plotting. While plotband.x read the output of bands.x and produced band-structure plots, dos.x calculated the electronic Density of States (DOS).

Siesta is one of the Max Center of Excellence's codes. It uses the standard Kohn-Sham self-consistent density-functional method with the Local density or Generalized Gradient approximations. It employs norm-conserving pseudopotentials in their fully nonlocal forms. It also employs atomic orbitals with finite support as a basis set, allowing for unlimited multiple zeta valence, angular momentum, polarization, and off-site orbitals. In its simulation, the code projects the electron wavefunctions and density onto a real-space grid to calculate the Hartree and exchange-correlation potentials and their matrix elements.

3.3 Structural and Electronic Properties of Ge and Si Perovskites

All density functional theory (DFT) calculations were performed using the respective Perdew-Burke-Ernzerhof (PBE) norm-conserving pseudopotentials. The PBE pseudopotentials for Ge and Si, distributed within the QUANTUM ESPRESSO, were used for all possible calculations. The cell shape and atomic positions were relaxed in DFT, using the standard PBE version of the GGA electron exchange-correlation functional. The structural optimization was achieved by performing a variable-cell relaxation, as implemented in Quantum Espresso, for self-consistent fields. A structural optimization of non-self-consistent fields for band-structure calculation was also performed, with the atomic positions in the input file not varied. Electronic structure calculations were performed using the desired K-mesh, which yields the density-of-states calculation.

3.4 Optoelectronic Properties of Germanium Halides

The functional GGA+U approximation was employed, and the optimization of parameter convergence was used to determine how cations influence the band gap and, consequently, the overall optical behavior of germanium-based halides. The properties to be simulated may include their ionization potentials and the behavior of their electrons.

3.5 Optoelectronic Properties of Silicon Perovskites

The essential optoelectronic properties of semiconductors that may be computed include light absorption and emission strengths, ionization potentials, and electron affinities (Merdesa, 2016). The hybrid functional GGA+U approximation was considered, and thus the optimization of convergence parameters was performed to assess how significantly the collective alignment of cations present influenced the positioning of the band gaps and, hence, the changes in the optical properties of silicon halides.

3.6 Mechanical Properties of Germanium Perovskites

The mechanical properties of CsGeBr_3 were used to analyze strain, stress, fracture mechanics, and deformation of solid absorber layers when these materials are used as solar cell materials. This was investigated by the stress-strain method based on the first-principles calculations. The elastic constants were obtained by calculating the total energy by displacing ions from the ground state as a function of appropriate lattice deformation. The elastic strain energy was obtained by calculating the full elastic constants, which facilitate the complete mapping of Young's and shear moduli and Poisson's ratios across all crystallographic orientations, to assess their anisotropy.

3.7 Governing Equations and Theorems in DFT

The simulation was based on the Density functional theorem, Born Oppenheimer approximations, Hohenberg and Kohn theorems, and the Kohn-Sham equations, which

lead to the solution of the Schrödinger equation. The initial step was the direct application of density functional theory (DFT) to the calculation of many-body systems. The system provides a framework for understanding the collective behavior of a large number of interacting particles. DFT is based on the Hohenberg-Kohn (1964) theorem, which implies that all ground-state properties of an inhomogeneous electron gas can be described by a functional of the electron density. Kohn and Sham (1965) state that this one-to-one mapping holds both for an interacting and a non-interacting system, yielding the same ground-state density as the interacting system.

3.7.1 Understanding the Many-Body Problem

The time-independent Schrödinger equation has been widely used in many studies to investigate the ground-state properties of materials (Rubio, 2020). For a single particle in a 1-D field, the equation is given as;

$$\frac{\hbar^2}{2m} \nabla^2 \psi(x) + V(x)\psi(x) = E\psi(x) \quad \dots\dots\dots(2)$$

above is easy to solve. However, when considering a system of many bodies in 3-D space, the Hamiltonian takes the form below:

$$H = \frac{\hbar^2}{2me} \sum \nabla^2 + \frac{1}{2} \sum_j \frac{Z_i Z_j e^2}{R_i - R_j} - \frac{\hbar^2}{2M_i} \sum_i \nabla^2 - \frac{1}{2} \sum_i \sum_j \frac{e^2}{r_i - r_j} - \sum \frac{r_i}{R_1} \quad \dots (3)$$

In **equation (3)**, the first term represents the Kinetic energy of the system, the second term represents the electron-electron potential interaction, and the last term represents the electron-nucleus interaction. In many-body systems, the number of particles complicates Schrödinger's equation. Hence, several approximations have to be made. These are explained as follows.

3.7.2 The Born-Oppenheimer Approximation

The initial step in reducing the complexity of the Hamiltonian above is to solve the interaction between the nucleus and the electrons in the many-body system. The Born-Oppenheimer Approximation decouples the kinetic energy of the nucleus and the electrons by neglecting the kinetic energy of the nucleus and electrons tightly held to the core of the atom. The approximation then treats the electrons loosely bound to the atom's core as the main contributors to the kinetic energy of the many-body problem (Born and Huang, 1954). The Hamiltonian equation above reduces to:

$$H = \frac{\hbar^2}{2m_e} \sum_i^j \nabla_{i_2}^2 + \frac{1}{2} \sum_j^i \frac{e^2}{r_i - r_j} - \sum_j^i \frac{Ze^2}{r_i} - R1 \quad \dots (4)$$

The second term represents the electron-electron interaction, while the K.E. of the electron gas is represented by the right-hand side. The third term represents the system's interactions between the ions and electrons.

3.7.3 Hartree Approximation

This approximation uses a product of the orthonormal molecular orbits of the systems to approximate the overall wave function of the systems. According to this theory, every electron moves independently within its own orbit (Fredkin and Werthamer, 1965). However, in terms of electron interchange, it does not meet Pauli's exclusion criterion of antisymmetric wave functions (Slater, 1930).

3.7.4 The Hartree-Fock Approximation

In this approximation, anti-symmetry could be achieved by adding and subtracting all possible permutations of the Hartree product, resulting in the Hartree-Fock wave function. The resulting wave function was proven to be a determinant of a matrix (Fischer, 1977) and was called the Slater Determinant. The H-F theory showed that the

wave function of the many-body system could be expressed by a single Slater determinant of N spin-orbitals expressed as:

$$\psi(1\dots N) = \frac{1}{\sqrt{N!}} \begin{vmatrix} \psi_1(1)\psi_1(x2)\dots\psi_1(xN) \\ \psi_2(x1)\psi_2(x2)\dots\psi_2(xN) \\ \vdots \\ \psi_N(x1)\psi_N(x2)\dots\psi_N(xN) \end{vmatrix} \dots (5)$$

In the expression above, the variable x1... captured the coordinates of space and spin of the electrons. In this representation, the wave function ψ is known to capture sufficient physics to provide solutions to the Hamiltonian. Finally, the new wave function is anti-symmetric, in accordance with Pauli's exclusion principle. When applied to the Hamiltonian, the Hartree-Fock methodology reduces the Hamiltonian to the form:

$$2\nabla^2\psi_i(r) + V_{ion}(r)\psi_i(r) + U\psi_i(r) = \epsilon_i\psi_i(r) \dots (6)$$

This approach fails when it comes to making quantitative predictions.

3.7.5 Density Functional Theory

This is a computational approach applied in materials science and physics to explain the dynamics of electrons at the fundamental level (Sholl and Steckel, 2011). The DFT approach solves the fundamental problem of Schrödinger's equation for a many-body problem. The Kohn-Sham equation is used to implement DFT calculations.

3.7.6 Hohenberg and Kohn Theorems

Hohenberg and Kohn formulated the following two theorems to explain the basics of DFT. The first theorem states that for a given system of interacting particles in an external potential, the potential from external fields given by V_{ext} and subsequently the

total energy of the system is a unique functional of the ground state electron density given by $n_0(r)$. From this theorem, it can be inferred that all properties of the system being investigated can be determined from the ground-state electron density based on the fact that the external potential of the system dictates the Hamiltonian from which the wave function of the system being investigated can be inferred (Hohenberg and Kohn, 1964).

The second theorem states that the precise ground-state energy of a system is given by the minimum value of an overall functional. The theorem also states that the density that actually minimizes the given functional is the true ground-state density of the system, $n_0(r)$ (Hohenberg and Kohn, 1964).

A mathematical relationship for the functional being explained in the theorem is shown below:

$$E[n(r)] = E_{HK}[n(r)] + \int_i^j V(r)n(r)d^3r \quad \dots (7)$$

In many-body systems, the function is unknown. However, in single-electron systems, the functional is expressed as follows:

$$E[\psi_i] = E_{known}(\psi_i) + E_{xc}(\psi_i) \quad \dots (8)$$

3.7.7 Kohn and Sham Equations

Having broken down the functional into **equation 8** above, Kohn and Sham formulated a set of equations to identify the electron density that minimizes the functional (Kohn and Sham, 1965). These equations are commonly known as the Kohn-Sham equations and are represented as follows:

$$\left[-\frac{\hbar^2}{2m}\nabla^2 + V(r) + \dot{V}(r) + V(xc)\right]\varphi_i(r) = \varepsilon_i\psi_i(r) \quad \dots (9)$$

3.7.8 Exchange Correlation Functionals

This approach is based on the uniform gas theorem, in which the electron density is assumed to be uniform throughout the system (Sholl and Steckel, 2011). Evidently, this approach is incorrect, since in most materials the electron density varies significantly due to chemical bonding. In the uniform electron gas approach, the exchange-correlation potential in the K-S equation is given as the potential observed at a given arbitrary point in the electron density (Sholl and Steckel, 2011). Thus, the exchange correlation potential can be explained as:

$$V_H(r) = e^2 \int_i^j \frac{n(r')}{r-r'} d^3r' = \epsilon_i \psi_i(r) \quad \dots (10)$$

Equation 10 is referred to as the Local Density Approximation, LDA. This approach tends to be ineffective since it does not provide the actual exchange-correlation functional.

3.8 Generalized Gradient Approximation (GGA)

This method is a continuation of LDA, taking into account both the density of the uniform electron gas and its deviation from homogeneity by considering the gradient of the charge density. However, LDA and GGA both have limitations when describing the correct electronic properties of some materials, for instance, transition-metal oxides and strongly correlated systems.

3.9 Pseudopotentials

This has been used to reduce the computational complexity of DFT calculations (Cohen, 1997). Pseudopotential can be considered to be a replacement of the core electrons of the system with a defined density that is consistent with most of the physical and structural properties of the actual electron core. An important property of a pseudopotential is its transferability. Transferability refers to the ability of a pseudopotential to be placed in a

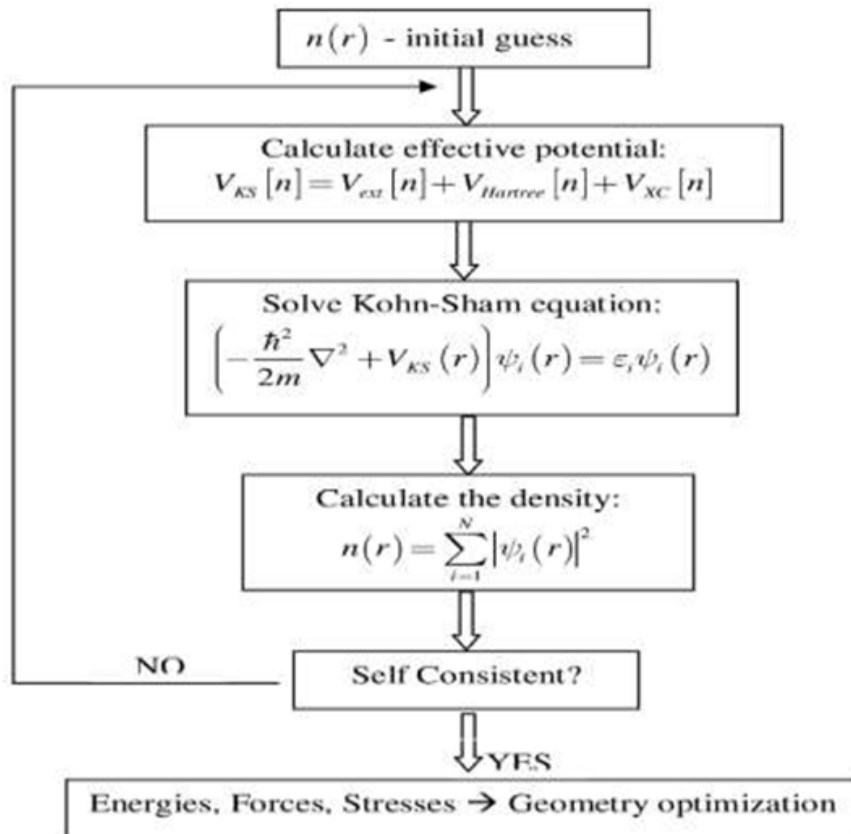
new environment different from the one in which it was created without being modified in any major way. Pseudopotentials can be broadly categorized into hard pseudopotentials if the required cutoff energies are high or soft pseudopotentials if the required cutoff energies are low (Troullier and Martins, 1990).

3.10 Self-Consistent Iterative Solution

Density Functional Theory is a method used to describe a system with the use of electron density. DFT is used to predict and analyze the electronic and optical properties of materials, where the electronic density distribution $n(r)$ is considered. Currently, DFT is applied in many first-principles or ab initio codes. The sequence scheme for the calculation of material properties can be generalized as shown in the Figure 5 below.

Figure 5

Schematic Flow of the solution of the Schrödinger Equation to obtain a self-consistent Electron density



3.11 Implementation

The simulations were performed on CsXBr₃ (X=Si, Ge) using density functional theory (Hohenberg and Kohn, 1964; Kohn and Sham, 1965) as implemented in the Quantum Espresso code (Soler et al., 2002). In the calculations, we replaced the core electrons with ab initio norm-conserving fully separable (Kleinman and Bylander, 1982) and Troullier-Martin pseudopotentials (Troullier and Martins, 1991). A Fermi-Dirac smearing distribution with energy of 0.075 eV was used to smear the occupancy of the one-particle electronic eigenstates. First, to relax the atomic structure and the one particle density matrix with a sensible number of k-points 17×17×17 Monkhorst-Pack (Monkhorst and Pack, 1976) and secondly, freezing the relaxed structure and density matrix, a non-self-consistent band structure calculation was performed with a much denser sampling of 60×60×60 in the real space integrations, a uniform grid with an equivalent plane-wave cutoff of 400Ry was used.

3.12 The Brillouin Zone (Reciprocal Space) and K-Points

Density Functional Theory is used in materials research for calculations in a system of periodic atoms in space. A supercell is a cell with atoms repeated periodically; these supercells are identified with the lattice vectors \mathbf{a}_1 , \mathbf{a}_2 , and \mathbf{a}_3 . The solutions of the Schrödinger equations for a periodic system must be in line with Bloch's theorem. The primitive cell concept in k-space follows the Wigner-Seitz cell, where the reciprocal lattice vectors are defined in the same way as in real space. Cells in k space are referred to as the Brillouin zone, which contains several k-points with special symmetry. These points are given independent identities; one of the most important is the Gamma point (Γ point), which is the center of the reciprocal space, implying $k = 0$ at the Γ point (Saparov and Mitzi, 2016).

3.13 Elastic Constants

The elastic constants for the cubic and tetragonal phases of CsGeBr₃ and CsSiBr₃ were determined by accurate structural relaxation of the materials to an approximately zero-stress state. Subsequently, perturbations are applied to the lattice vectors, and the resulting stress tensor is calculated, allowing relaxation of the ionic degrees of freedom. The constitutive relations from linear elasticity, which relate stress and strain, are finally employed to fit the full 6x6 elastic tensor.

The equilibrium bulk modulus and its pressure derivative were obtained from the Murnaghan EoS. The bulk modulus measures a material's resistance to compression. The volume and bulk modulus of materials are inversely related (Singh and Dwivedi, 2012). The bulk modulus is given by equation (11).

$$B = -V \frac{\partial P}{\partial V} \quad \dots (11)$$

where V stands for volume, P for pressure, and B for bulk modulus. Equation (12) below provides the pressure.

$$P = \frac{-\partial E}{\partial V} \quad \dots (12)$$

Equation (12) then reduces (11) into equation (13)

$$B = V \frac{\partial^2 E}{\partial V^2} \quad \dots (13)$$

The pressure derivative of the bulk modulus is given by;

$$B^I = \frac{\partial B}{\partial P} = \frac{1}{B} \left(V \frac{\partial}{\partial V} \left(V \frac{\partial^2 E}{\partial V^2} \right) \right) \quad \dots (14)$$

Elastic properties are crucial for determining the mechanical stability of materials. The properties studied in this work are the elastic constants, the bulk, Young, and shear moduli, and Poisson's ratio. The elastic properties were calculated using the *thermo_pw*

within Q.E. Other elastic properties, such as the bulk and shear moduli, the Young's and Poisson's ratios, were calculated from the elastic constants. The elastic constants are denoted by C_{ij} and vary from one crystal system to another. From the Born stability criteria (Mouhat and Coudert, 2014), these elastic constants need to meet certain conditions and be positive for the materials to be considered mechanically stable. In the cubic phase, the necessary conditions are given by equations (15) (Hou, 2008; Li *et al.*, 2017; Mouhat and Coudert, 2014);

$$C_{11} - C_{12} > 0, C_{11} + 2C_{12} > 0, C_{44} > 0 \quad \dots \quad \dots (15)$$

A tetragonal material is regarded as mechanically stable if **equations (15)** are met (Dong *et al.*, 2013; Mouhat and Coudert, 2014);

$$C_{11} > |C_{12}|, 2C_{13}^2 < C_{33}(C_{11} + C_{12}) \quad \dots \quad \dots (16)$$

Following the computation of the elastic constants, the moduli are computed using the Reuss and Voigt theories, with the Hill averaging scheme used to obtain the average (Hill, 1932). Equations (18) and (19), respectively, provide the bulk and shear G_V moduli of the cubic phase based on the C_{ij} 's and the Voigt theory (Dong *et al.*, 2013).

$$B_V = \frac{1}{9} [(C_{11} + C_{22} + C_{33}) + 2(C_{12} + C_{23} + C_{31})] \quad \dots (17)$$

$$G_V = \frac{1}{15} [(C_{11} + C_{22} + C_{33}) - (C_{12} + C_{23} + C_{31}) + 3(C_{44} + C_{55} + C_{66})] \quad \dots (18)$$

Equations (19) and **(20)** can be used to derive the bulk B_R and shear moduli from the elastic constants in the Reuss theory.

$$\frac{1}{B_R} = (S_{11} + S_{22} + S_{33}) + 2(S_{12} + S_{23} + S_{31}) \quad \dots (19)$$

$$\frac{15}{G_R} = 4(S_{11} + S_{22} + S_{33}) - 4(S_{12} + S_{23} + S_{31}) + 3(S_{44} + S_{55} + S_{66}) \quad \dots (20)$$

The elastic compliances are the S_{ij} . The elastic compliances inversely represent the matrix of elastic constants. According to the Hill averaging system, the averages of the two theories or equations (21) and (22) provide the bulk B_H and shear G_H moduli, respectively.

$$B_H = \frac{B_V + B_R}{2} \quad \dots (21)$$

$$G_H = \frac{G_V + G_R}{2} \quad \dots (22)$$

The Pugh method (Dong *et al.*, 2013; Pugh, 1954) can be used to determine a material's ductility or brittleness by examining the relationship between B/G and the crucial value of 1.75. The material is deemed ductile if the ratio B/G is above this value, and vice versa.

Equations (23) and (24) can be used to obtain the Young's modulus and the Poisson's ratio from the shear and bulk moduli, respectively, after the elastic constants and moduli have been calculated (Dong *et al.*, 2013; Hou, 2008).

$$\nu = \frac{3B_H - 2G_H}{2(3B_H + G_H)} \quad \dots (23)$$

$$E_H = \frac{9B_H G_H}{(3B_H + G_H)} \quad \dots (24)$$

The cubic phase perovskites satisfy the Born stability criterion and are therefore mechanically and elastically stable. The monoclinic structures are mechanically unstable because the elastic constants are negative and do not satisfy the Born stability criteria. To the best of our knowledge, there is no previous work reported in the literature; hence, we could not compare mechanical properties.

3.14 Optical Properties

The study of optical properties is crucial in solar cells, as it explains how a material interacts with light. To study the optical properties, the complex dielectric function is investigated. This function is dependent on the electronic band structure of the given material and affects its properties. From the dielectric function, the other optical properties of the material, such as the refractive index, reflectivity, absorption coefficient, and extinction index, can be obtained. The dielectric function is made up of the real and imaginary parts and is given by equation (25).

$$E = \varepsilon_1(\omega) + i\varepsilon_2(\omega) \quad \dots (25)$$

where $\varepsilon_2(\omega)$ is the imaginary part and $\varepsilon_1(\omega)$ is the real part. The Kramers-Kronig relation can be used to obtain $R(\omega)$ once the imaginary part has been determined.

$$R(\omega) = \frac{n+iK-1}{n+iK+1} \quad \dots (26)$$

where $R(\omega)$ is the reflectivity, and $n(\omega)$ is the refractive index. $K(\omega)$ is the extinction index.

The coefficient of optical absorption $\alpha(\omega)$ is

$$\alpha(\omega) = \sqrt{2}\omega \left(\sqrt{\varepsilon_1^2(\omega) + \varepsilon_2^2(\omega)} - \varepsilon_1(\omega) \right)^{\frac{1}{2}}$$

The refractive index $n(\omega)$ is

$$n(\omega) = \left(\frac{\sqrt{\varepsilon_1^2(\omega) + \varepsilon_2^2(\omega)} + \varepsilon_1(\omega)}{2} \right)^{\frac{1}{2}} \quad \dots (28)$$

the reflectivity $R(\omega)$

$$R(\omega) = \frac{(n-1)^2 + K^2}{(n+1)^2 + K^2} \quad \dots (29)$$

the exciton index $K(\omega)$ as in equation (30)

$$K(\omega) = \left(\frac{\sqrt{\varepsilon_1^2(\omega) + \varepsilon_2^2(\omega)} - \varepsilon_1(\omega)}{2} \right)^{\frac{1}{2}} \quad \dots (30)$$

Equation (31) provides the energy loss, the amount of energy lost due to radiation, absorption, scattering, and other processes.

$$L(\omega) = \frac{\varepsilon_2(\omega)}{\varepsilon_1^2(\omega) + \varepsilon_2^2(\omega)} \quad \dots (31)$$

CHAPTER FOUR

RESULTS AND DISCUSSIONS

4.1. Introduction

This chapter discusses the results, data on the cubic, monoclinic, and tetragonal phases, structural properties, electronic, elastic, and dielectric constants, and the solar cell applications of CsSiBr₃ and CsGeBr₃ perovskites. It compares the results from this work with other first-principles research on perovskite materials and other works. In this work, the structural, electronic, elastic, and optical properties of CsGeBr₃ and CsSiBr₃ have been calculated using density functional theory as implemented in the QUANTUM ESPRESSO computer code (Giannozzi *et al.*, 2009). It uses the pseudopotential approach, which allows it to calculate many material properties. It is multi-purpose, multi-platform software for *ab-initio* calculation of periodic and non-periodic condensed matter (Perdew *et al.*, 1981). Ion-electron interactions are described using Ultrasoft pseudopotentials. To sample the Brillouin zone, k-mesh point densities were used according to the Monkhorst-Pack scheme (Monkhorst *et al.*, 1976). To calculate the ground-state density, Quantum ESPRESSO uses a self-consistent cycle to solve the Kohn-Sham functionals.

4.2 Phases of CsSiBr₃ and CsGeBr₃ and Solar Cell Application

An analysis of cubic, monoclinic, and tetragonal phases of CsSiBr₃ and CsGeBr₃ was done. The original structures from the database and the optimized structures were simulated using the same values for *ecutwfc* and *ecutrho*, and the structures were visualized before and after optimization using XcrySDen (Kokalj, 1999). At the initial stage, the structural optimizations for both halide perovskite compounds, CsGeBr₃ and CsSiBr₃, were performed using the GGA-PBE method. Then, we extracted equilibrium results for structural parameters such as ground-state energy (E_0), unit-cell volume (V_0),

lattice constants (a_0), bulk modulus (B), and the first pressure derivative of the bulk modulus (B'). Both of these results of CsGeBr_3 and CsSiBr_3 are expected by fitting the variation of the total energy (E) per unit cell as a function of the corresponding unit cell volume (V). The findings reveal that the cubic phase of both CsGeBr_3 and CsSiBr_3 at and above room temperature was more stable compared to the tetragonal and monoclinic phases, as depicted in the Energy-Volume curve in Figure 6 below.

Figure 6

Energy against Volume Curve for the Monoclinic, Cubic and Tetragonal phases of CsGeBr_3

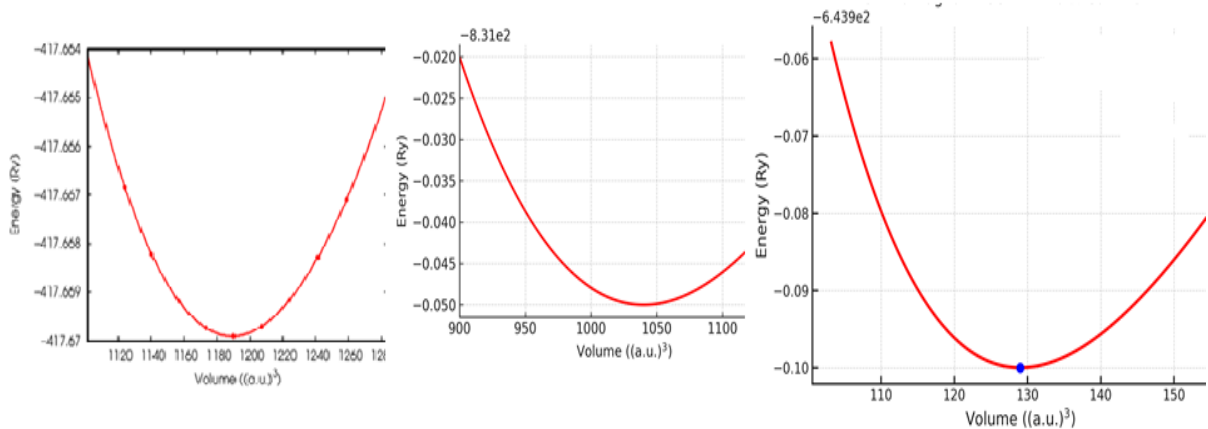
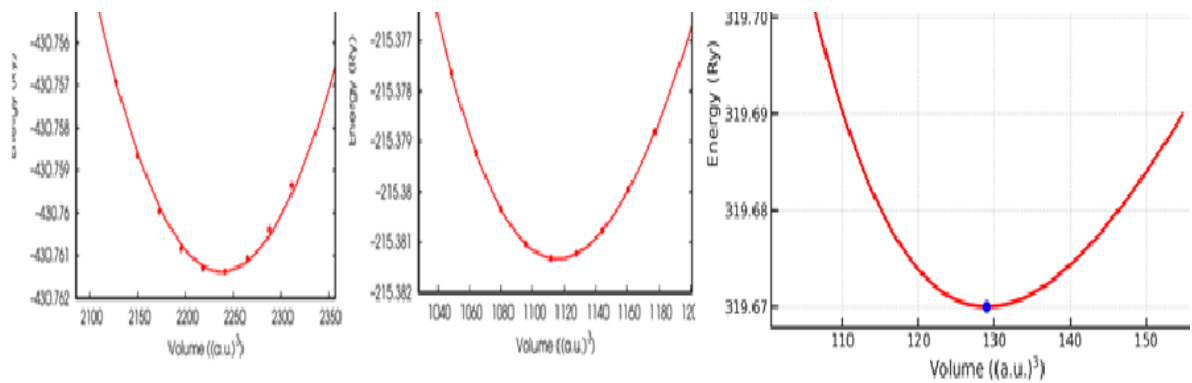


Figure 7

Energy against Volume Curve for the Cubic, Monoclinic, and Tetragonal phases of CsSiBr_3



From Figure 6, the cubic phase of CsGeBr₃ showed the lowest energy of -831.9 Ry at 1040 (a.u)³, the monoclinic phase showed -417.669 Ry at around 1180 (a.u)³, and the tetragonal phase gave -644.0 Ry at 129.0 (a.u) ³ of the equilibrium volume. The absolute minimum total energy determines stability. Hence, the cubic phase was more stable. From Figure 7, the cubic phase of CsSiBr₃ gave -430.760 Ry at 2240 (a.u) ³; in the monoclinic phase, the energy obtained was -215.381 Ry at 1120 (a.u) ³; and the tetragonal phase gave 319.67 Ry at 129.0 (a.u)³. Stability in this analysis was determined by selecting the lowest point on the energy (Ry) versus volume (a.u)³ curve. The curves for the cubic phases indicated stability, with energy increasing on either side of V₀ due to compression or expansion. Hence, the cubic phases for both CsGeBr₃ and CsSiBr₃ were concluded to be stable compared to the monoclinic and tetragonal phases at very high temperatures.

4.2.1 Lattice Parameters

The lattice parameters obtained were $a = 8.505 \text{ \AA}$, $b = 9.232 \text{ \AA}$, and $c = 15.04 \text{ \AA}$. Murnaghan's equation of state was used according to Madsen *et al.* (2016) to optimize volume by minimizing the total energy with respect to volume. The relationship between the energy and volume of the three phases of the perovskite cell is represented by the energy-volume diagrams (6 and 7) above.

The lattice constants for CsSiBr₃ and CsGeBr₃ were calculated to be 5.89 Å and 5.75 Å, respectively, and showed good agreement with previously calculated results. Table 1 below provides a summary of the grid constants for the cubic phase of CsGeBr₃ and CsSiBr₃.

Table 1

Number of Bonds, the Bond length of Chemical bonding of Cs-Br/Ge-Br and the lattice constant of the cubic phase of CsGeBr₃ and CsSiBr₃ Compounds.

Point group (O _h)	atom-atom	number of bonds	bond length(Å)	Lattice Constant(Å)
CsGeBr ₃	Cs-Br	12	4.09	5.75
	Ge-Br	6	3.20	5.76
CsSiBr ₃	Cs-Br	12	4.30	5.89
	Si-Br	6	2.79	5.87

Table 1 illustrates the achiral octahedral symmetry point group, O_h. This group has the same rotation axes as O, but with mirror planes T_d and T_h. The bond length depicts the average distance between nuclei of two bonded atoms in either the CsGeBr₃ or CsSiBr₃ molecule. The lattice constant is simply the geometric constant that measures the distance between the atoms in this crystal structure. The values for bond length and lattice constants in both crystals are not the same because they exhibit body-centered cubic structures.

4.3 Electronic Properties

4.3.1 Electronic Properties of the Cubic Structures of CsGeBr₃ and CsSiBr₃

The band gap of the material is a crucial tenet that determines the efficiency of a solar cell. Semiconducting materials with suitable band gaps are crucial for the fabrication of solar cells. As the majority of the Sun's radiation that reaches the surface of the Earth has energy <2 eV, solar cell materials with band gaps greater than 2 eV and lower than 0.9 eV are less effective. In addition, materials with a band gap of 0.9–2.0 eV are effective not only for single-junction SCs but also for the top and bottom cells in the tandem structure (Ming et al., 2023). To probe the electronic properties, we have calculated the

band structures along paths connecting the high symmetry points $\Gamma(0\ 0\ 0)$, $X(0.5\ 0.0\ 0.0)$, $M(0.5\ 0.5\ 0.0)$, $R(0.5\ 0.5\ 0.5)$, and $\Gamma(0\ 0\ 0)$ for the Si-based; and $\Gamma(0\ 0\ 0)$, $Z(0.5\ 0.5\ 0.5)$, $F(0.5\ 0.5\ 0.0)$, and $\Gamma(0\ 0\ 0)$ for the cubic phase of Ge-based compounds

Figure 8

Electronic Band Structure for for the Cubic Phase of CsGeBr₃

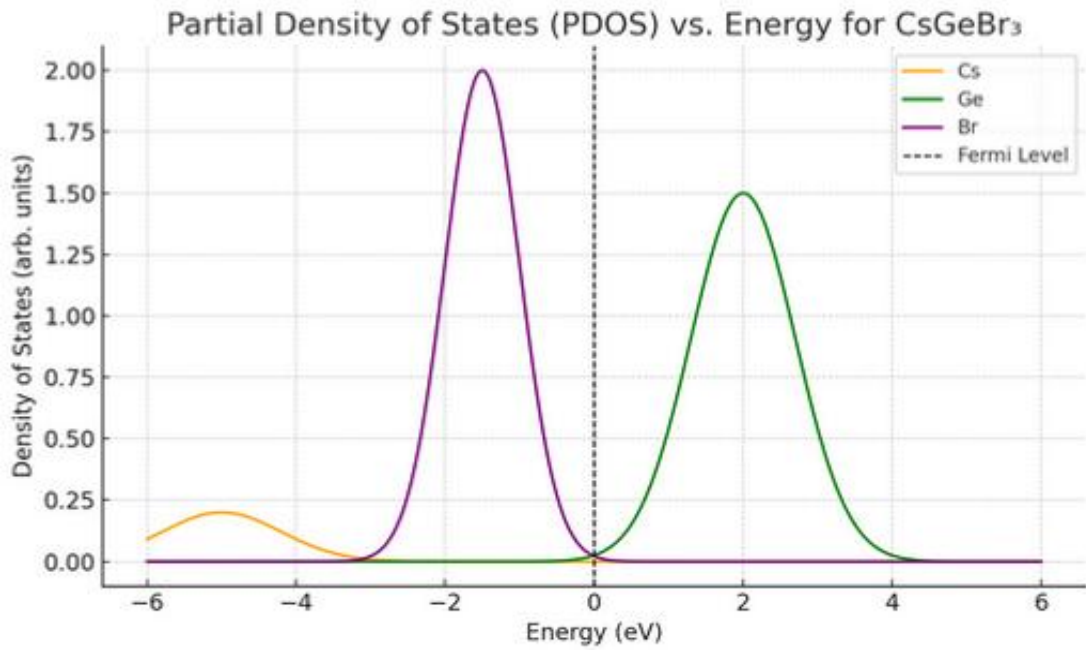
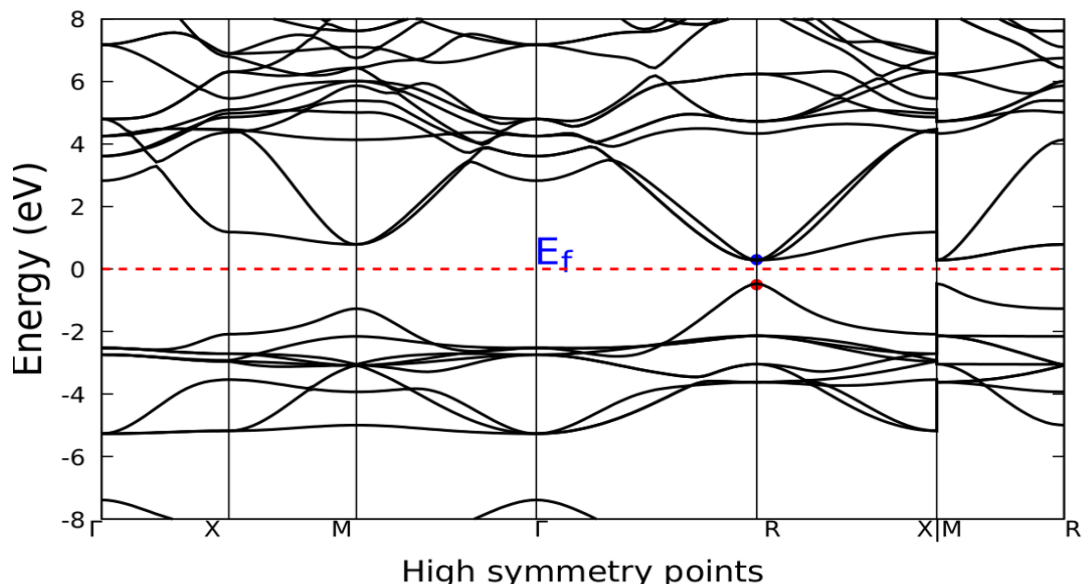


Figure 9

Partial Density of State for the Cubic Phase of CsGeBr₃



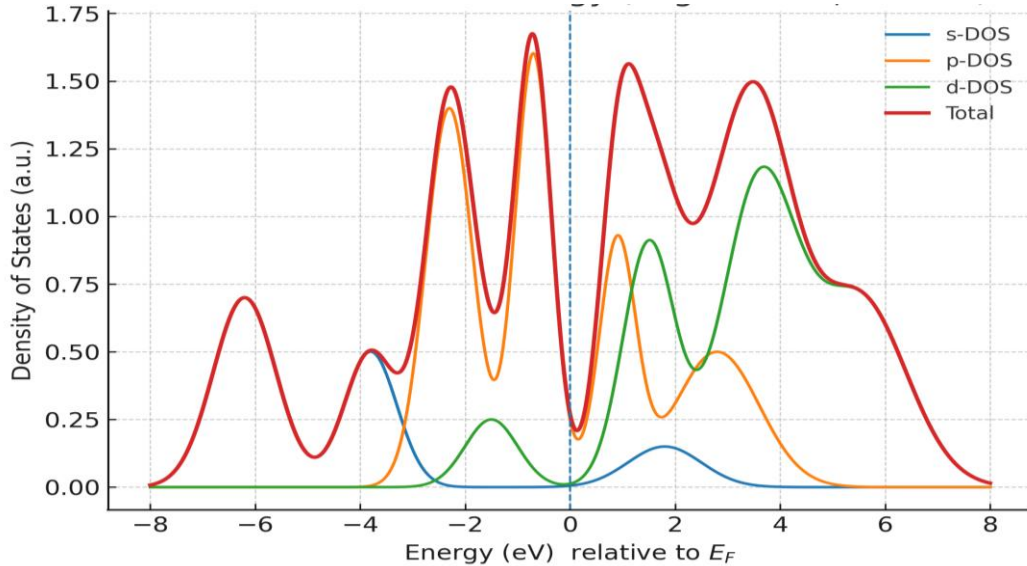
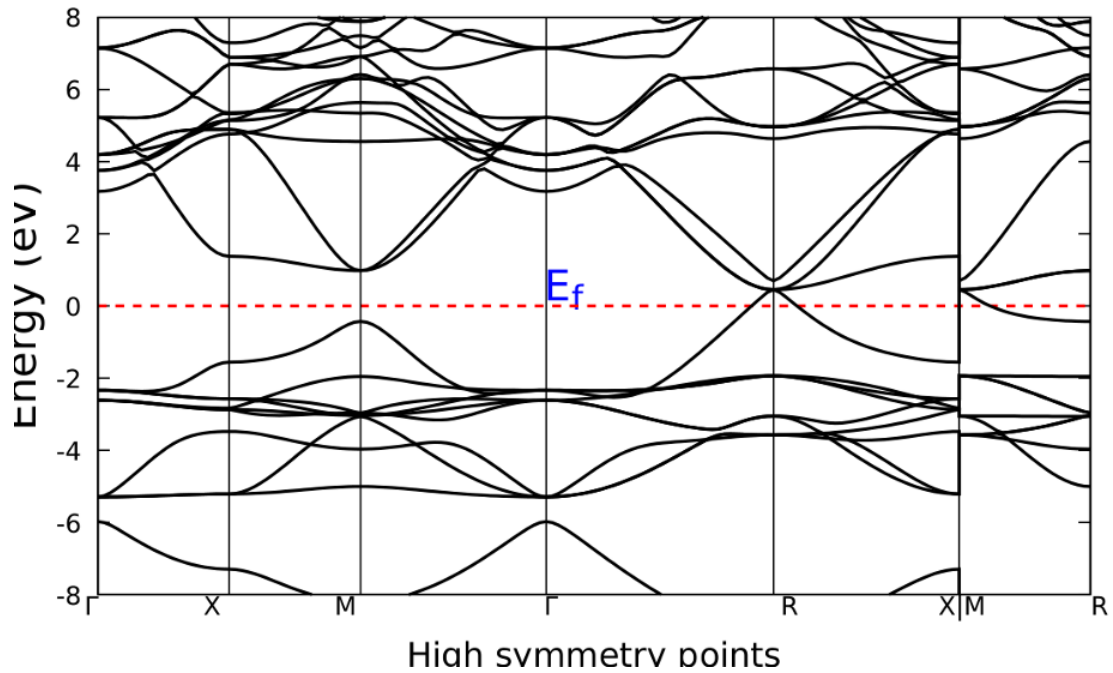
As illustrated in Figures 8 and 9, the cubic phase of the material CsGeBr₃ exhibits a direct band gap, with the valence band maximum (VBM) and conduction band minimum (CBM) located at R for germanium-based perovskites. The band gap for CsGeBr₃ is 0.7 eV at the R point, as depicted in Figures 8 and 9. These band gap value is considerably lower than experimental findings, suggesting that the PBE functional tends to underestimate band gaps in most cases, except a few lead-based halide perovskites (Ali *et al.*, 2020; Zhu *et al.*, 2019).

To investigate the influence of spin-orbit coupling (SOC), we employed PBE to evaluate band gaps with SOC included. It was found that the band gaps for all compositions decreased under SOC (PBE+SOC) due to the separation and downward shift of the CBM (Qian *et al.*, 2016). Additionally, the SOC values for germanium halides (0.04 eV - 0.06 eV) are notably lower than those for silicon halides (0.36 eV - 0.37 eV). The electronic properties of hybrid halide perovskites are of great importance and need to be studied, as these materials are potential light-harvesting materials. We employed PBE-GGA exchange-correlation potentials to study various electronic properties, including electron density plots, band structures, and energy band gaps. The band structure and the density of states (DOS) are important in analyzing the electronic properties of a material.

The calculated band structure of the cubic phase of CsSiBr₃ crystal along the high-symmetry lines in the first Brillouin zone is presented in Figure 10 below.

Figure 10

Electronic band structure and Partial Density of State for the Cubic Phase of CsSiBr_3



the cubic crystal of CsSiBr_3 has a narrow band gap at the gamma symmetry points, with a 0.29 eV band gap energy calculated using DFT exchange–correlation functionals. From Figure 10, there is a sharp rise just below E_f , then a strong onset above E_f . This showed a tiny gap of 0.01 eV, suggesting that CsSiBr_3 is either metallic or has a small band gap at the chosen threshold.

From figures 8, 9, and 10, it is observed that CsGeBr₃ and CsSiBr₃ have direct band gaps of 0.7 eV and 0.01 eV, which are comparable to the values of 0.834 eV and 0.099 eV reported by Jain et al. (2011). The values are reasonable, since it is known that DFT usually underestimates the band gap, while HSE06 provides a more accurate value. However, this narrow band gap of CsSiBr₃ could be utilized in solar cells, potentially absorbing a portion of the infrared spectrum that larger band gaps might lack.

4.4 Elastic Properties

4.4.1 Elastic Properties of CsGeBr₃ and CsSiBr₃

The table below shows the elastic properties of the Cubic, Tetragonal, and monoclinic phases of CsGeBr₃ and CsSiBr₃.

Table 2

The calculated elastic constants (C_{ij}) in (GPa)

Material	C_{11}	C_{12}	C_{13}	C_{22}	C_{23}	C_{44}	C_{33}	C_{55}	C_{66}
Ge Cubic	46.866	10.184				9.624			
Si Cubic	47.726	12.325				12.126			
Ge Tetragonal	41.246	21.301	10.486	41.12246	10.486	38.908	9.372	9.372	9.372
Si Tetragonal	44.894	19.376	11.813	44.894	1.813	39.597	11.683	11.683	11.683
Ge Monoclinic	43.718	20.416	12.684	43.173	10.678	39.809	10.684	10.237	10.412
Si Monoclinic	44.194	16.345	14.318	45.498	10.103	28.795	12.386	12.668	12.814

C_{11} , C_{12} , and C_{44} are three elastic constants that characterize cubic crystals. They are used to describe the relationship between stress and strain in a material. C_{11} describes the

uniaxial elastic response of a cubic structure, C_{12} characterizes the elastic properties of a cubic structure, and C_{44} describes the relationship between strain and stress in a cubic structure.

The bulk and shear moduli in the Voigt and Reuss approximations, along with their averages in GPa, are shown in Table 3 below. The $B_V, G_V, B_R, G_R, B_H, G_H$ are obtained from equations (42) and (43) respectively. The cubic structures had the lowest bulk moduli, with the germanium compounds having lower moduli than their silicon counterparts. We also noted that the monoclinic structures had inconsistent figures of both the moduli and elastic constants, showing that they are highly elastically unstable.

Table 3

The bulk (B_V, B_R, B_H) and shear (G_V, G_R, G_H) moduli in N/m^2

Material	B_V	B_R	B_H	G_V	G_R	G_H
Ge Cubic	22.411	22.411	22.411	13.111	11.883	12.497
Si Cubic	24.126	24.126	24.126	14.356	13.874	14.115
Ge Tetragonal	22.883	22.720	22.802	13.002	11.755	12.378
Si Tetragonal	23.932	23.800	23.866	14.237	13.700	13.969
Ge Monoclin	23.686	23.739	23.497	15.383	14.141	14.749
Si Monoclinic	24.612	24.502	24.208	15.141	13.793	12.973

The Pugh criterion (Pugh, 1954), which is used to determine the ductile or brittle nature of materials, was employed: a material is ductile if and brittle otherwise. The $\frac{B}{G}$ ratio obtained implies that the germanium-containing perovskites are ductile, while the silicon-containing materials are brittle because their $\frac{B}{G}$ ratios are less than the critical value of 1.75. The data obtained from the Poisson ratio also agree with these findings. Using the

critical value of the Poisson's ratio, 0.26, the materials containing germanium at the B site show that they are ductile in nature. The perovskite materials with silicon in the B site have $\nu < 0.26$ indicated that they are brittle, with the monoclinic structure having the lowest value, $0.074 < 0.26$ showing that it is highly brittle, higher than the cubic and tetragonal materials. From the calculations, the Pugh's criterion and the Poisson ratio are consistent in identifying the ductility of materials. This implies that germanium perovskite structures would crack easily, especially during materials engineering for applications.

Table 4

The Poisson's ratio (ν) Young's modulus E_H in GPa Pugh's ratio $\frac{B}{G}$

Material	$\frac{B}{G}$	ν	E_H
Ge Cubic	1.793	0.264	31.604
Si Cubic	1.709	0.255	35.433
Ge Tetragonal	1.842	0.270	31.536
Si Tetragonal	1.708	0.255	31.063
Ge Monoclinic	1.924	0.272	30.360
Si Monoclinic	1.915	0.263	30.460

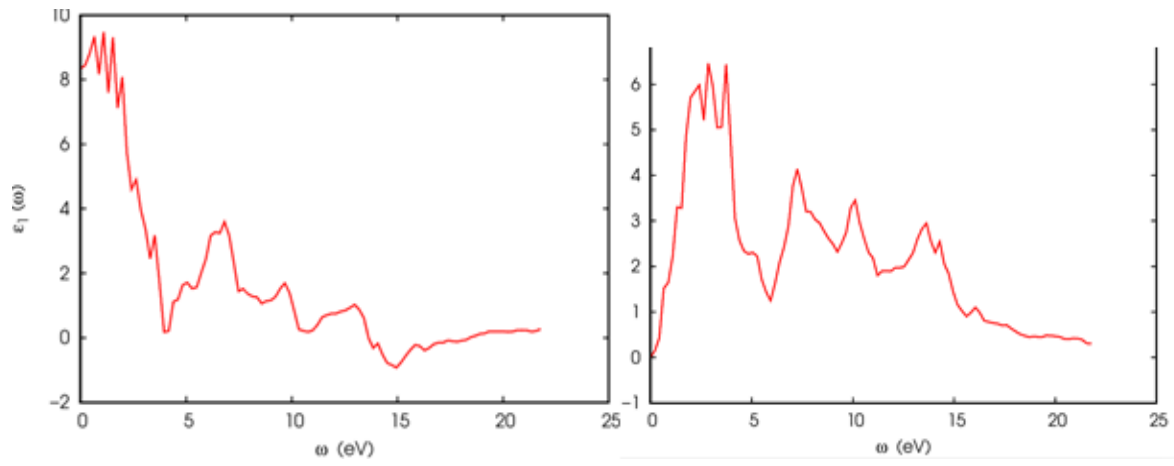
From Table 4 above, we find that the Poisson's ratios of the CsGeBr₃ and CsSiBr₃ are sensitive to the change of bond length and angles. The smallest value of Young's modulus is 31.604 GPa (along the [1 0 0] directions) and the greatest is 35.433 GPa (along the [1 1 1] directions) for the cubic phase of CsGeBr₃ and CsSiBr₃, respectively. These values, however, vary with crystal orientation. They also show that these materials can withstand external stresses, such as wind and moisture. The cubic phases of CsGeBr₃ and CsSiBr₃ exhibited higher Young's moduli than the tetragonal and monoclinic phases; hence, they are mechanically stable, a tenet essential for long-term device performance.

4.5 Optical Properties of CsGeBr₃ and CsSiBr₃ for Solar Cell Application

The real part $\epsilon_1(\omega)$ and imaginary part $\epsilon_2(\omega)$ were calculated using *thermo_pw*, a Quantum ESPRESSO package. The results were obtained as shown in Figure 11 below;

Figure 11

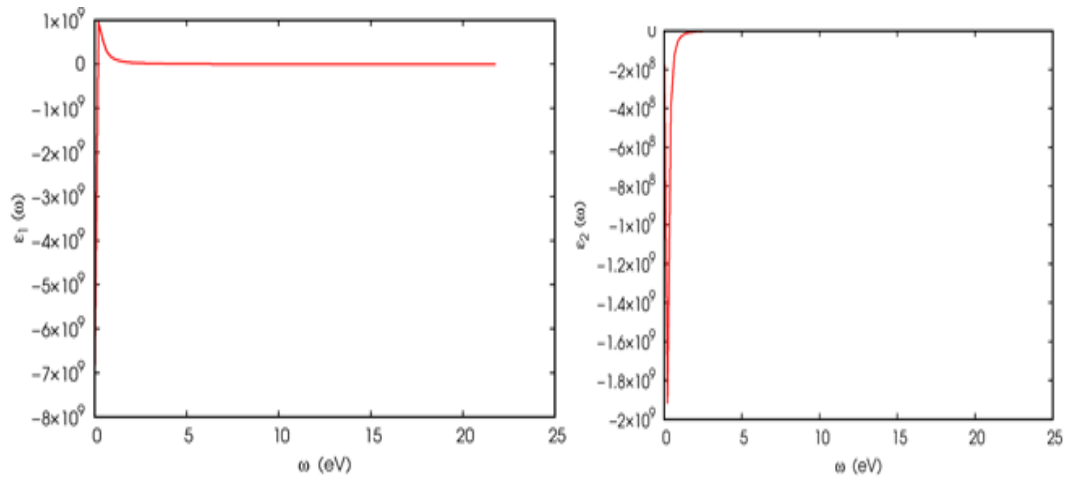
Relationship between Real part and imaginary part against Energy in eV of CsGeBr₃ in the Cubic Phase



For the Real part in Figure 11, at low energy (0–2 eV), ϵ_1 is very high (~9–10), suggesting a strong polarization response at low photon energies. It decreases with increasing energy and oscillates around 0–4 between 2–10 eV, showing electronic interband transitions. Around 15–20 eV, ϵ_1 becomes negative at some points. After ~20 eV, ϵ_1 stabilizes near zero, showing reduced dielectric response. For the imaginary part, a strong absorption peak appears between 2 and 5 eV, with a maximum of ~6. Multiple peaks are observed at 6–12 eV, indicating several allowed transitions between the valence and conduction bands. Beyond 15 eV, absorption decreases steadily, approaching near zero above 20 eV. The analysis reveals that CsGeBr₃ shows a high dielectric constant at low energies and strong optical absorption in the visible–UV range, with a band gap (E_g) of 1.8–2.0 eV. The relationship between the real and imaginary parts against the energy of CsSiBr₃ is depicted in the graphs below;

Figure 12

Relationship between Real and Imaginary Parts of CsSiBr₃ in Cubic Phase



For the real part in Figure 12, $\epsilon_1(\omega)$ starts at a very large negative value ($\sim -8 \times 10^9$) near $\omega \approx 0$, then rapidly increases toward zero and stabilizes around a negative constant for higher photon energies (above ~ 5 eV). The large negative $\epsilon_1(\omega)$ at low energies usually suggests metallic screening behavior or a strong Drude-like free-carrier contribution. $\epsilon_1(\omega)$ does not cross into positive values, implying that CsSiBr₃ does not show a conventional dielectric optical response in this range. Instead, it indicates a strong metallic nature.

For the imaginary part, $\epsilon_2(\omega)$ is also very large and negative (starting from $\sim -2 \times 10^9$), and then it approaches a less negative constant value with increasing ω . $\epsilon_2(\omega)$ indicates interband transitions, absorption edges, and energy loss. A sharp peak near low energies marked the onset of strong optical absorption. The dielectric response exhibited here is highly unusual, with both $\epsilon_1(\omega)$ and $\epsilon_2(\omega)$ being large negative values. This strongly suggests CsSiBr₃ behaves like a metallic system with a strong free-carrier contribution. Hence, CsSiBr₃ is not suitable for solar cell applications.

4.6 The Dielectric Constants of Germanium-Based Perovskites

The optical properties express the interaction of light with the material medium. In this study, the optical properties of CsGeBr₃ and CsSiBr₃ metal halide perovskites based on the DFT scheme of measuring the different optical parameters were studied. In the solar spectrum, the visible energy wavelength ranges from around 380-780nm, translating to approximately 1.6-3.25eV. The humps then decrease rapidly, followed by small humps, which can be caused by inter-band transitions between the valence band and the conduction band. On the other hand, the imaginary part of the dielectric function is a measure of the extent of light absorption. High absorption peaks are observed in the visible spectral region at energies around 2.5–4.5 eV. Several weak peaks are observed in the energy range of 4.5–14 eV.

Table 5

The Zero-Frequency Values of the Real Part of the Dielectric Function and Band Gaps

Compound	$\epsilon_0(\omega)$	Band gaps (eV)	References
CsGeBr ₃	4.0	0.7	This work
MAPbI ₃	6.0	1.7	Wang <i>et al</i> 2015
CsSiBr ₃	5.0	1.73	Ahmad <i>et al</i> 2017

The absorption coefficient $\alpha(\omega)$, the imaginary part of the refractive index $k(\omega)$, the real part of the refractive index $n(\omega)$, and the reflectivity $R(\omega)$ have been calculated to elucidate better the optical properties of the CsGeBr₃ and CsSiBr₃ compounds. Apparently, these compounds exhibit strong absorption and weak reflectance. The $\alpha(\omega)$ is equal to 0, and the $R(\omega)$ is almost independent of the energy in the visible region, as they lack electronic excitation contributions. The rapid increase in the absorption coefficient is due to various inter-band transitions. The inverse values of the absorption

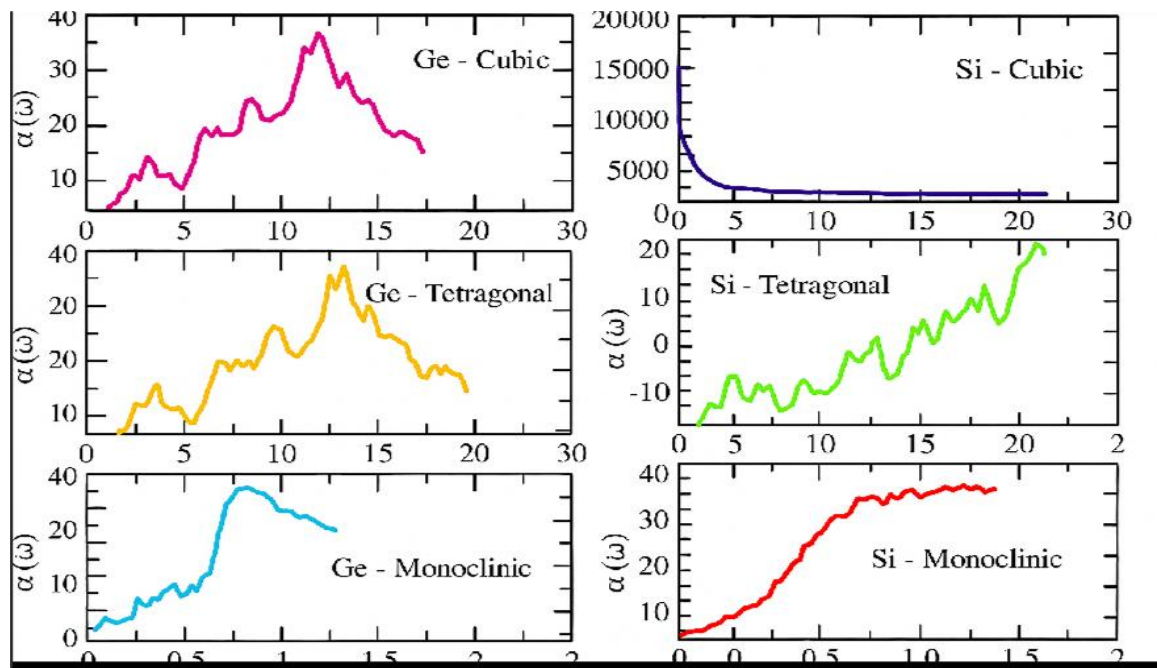
coefficient are equal to 200 and 100 Å for CsGeBr₃ and CsSiBr₃, respectively. These findings imply that photons propagating through the medium are readily absorbed by the medium's rich electronic excitations.

4.7 Solar Cell Application of CsGeBr₃ and CsSiBr₃ Perovskites

Solar cell operation depends directly on the absorber's light-absorbing efficiency. The plot shows the absorption spectrum over 130–800 nm, which spans a large portion of the solar spectrum. In Figure 13, the equivalent plots as a function of energy are presented.

Figure 13

Relationship between absorption against energy of CsGeBr₃ and CsSiBr₃ in Cubic, Tetragonal, and Monoclinic Phases



From Figure 13, germanium (Ge) Phases, the Cubic structure of CsGeBr₃ showed an absorption that gradually increased at ~0 eV. Peaks strongly around 12 eV ($\alpha \sim 35$), then decays above 15 eV. This implies a broad absorption profile, suggesting efficient absorption across a wide range. The tetragonal Ge gave multiple absorption peaks across

the range. Strongest absorption near 13 eV ($\alpha \sim 38$). The Monoclinic Ge generated a sharp rise from ~ 0.5 eV. Strong absorption plateau between 5–10 eV ($\alpha \sim 35$ –38).

For the Silicon (Si) Phases, the Cubic structure of CsSiBr₃ gave an extremely high absorption at < 2 eV ($\sim 20,000$), then decays rapidly and flattens after ~ 5 eV. This depicts metallic-like, strong free-carrier absorption rather than interband transitions. The tetragonal Si showed a very weak, fluctuating absorption below ~ 10 eV. Absorption rises linearly after 10 eV, reaching ~ 20 at 20 eV. This indicates weak optical activity at low energies for CsSiBr₃. Monoclinic Si showed a clear absorption onset at ~ 0.5 eV. Then a strong, continuous increase up to ~ 30 –35 at ~ 12 –15 eV, where maximum absorption is observed.

The germanium-based perovskite absorbs light in the ultraviolet, visible, and infrared regions, whereas CsSiBr₃, on the contrary, has an almost zero absorption coefficient in the visible and infrared regions. The cubic phase exhibits high conductivity applications due to free-carrier behavior. The tetragonal phase exhibits unusual absorption behavior, increasing linearity with the monoclinic phase, which has lower-energy peaks (~ 1 eV). It is clear from Figure 13 that in the visible and infrared region, the cubic phase of CsGeBr₃ shows stronger optical absorption at low energies.

CHAPTER FIVE

SUMMARY, CONCLUSION, AND RECOMMENDATIONS

5.1 Introduction

This chapter provides a detailed summary of the study, which was carried out with the aim of using first-principles computational modeling implemented in the Quantum Espresso software based on DFT. The conclusions and recommendations for the study of the cubic phases CsGeBr₃ and CsSiBr₃ are presented.

5.2 Summary

The main objective of this study was to determine the structural, optical, elastic, and electronic properties of Ge and Si halide perovskites for solar cell applications. To exploit the promising properties in solar cell applications, it is necessary to identify an appropriate material that improves the stability and the good absorption of Ge- and Si-halide perovskite-based compounds. In this study, calculations of the electronic, structural, elastic, and optical constants of CsGeBr₃ and CsSiBr₃ were performed, and, since it was based on DFT, computations were restricted to ground-state conditions only.

The results of this study are in agreement with other theoretical predictions and experimental values of 16.5 GPa for CsGeBr₃. The Fermi level separates the valence and conduction bands. Among the total DOS, CsGeBr₃ and CsSiBr₃ showed semiconductor-like properties, as deduced from their band structures. From this work, the absorption of CsGeBr₃ and CsSiBr₃ began at 2.5eV, with high absorption coefficients, indicating that these materials are suitable for solar cell applications.

Lattice constants obtained for CsGeBr₃ and CsSiBr₃ are in agreement with experimental and theoretical predictions so far obtained. The Burch-Murnaghan third-order equation of state gave a bulk modulus of 17.97GPa, which corresponds fairly well with the

experimental value of 16.5 GPa for CsGeBr₃. The CsGeBr₃ and CsSiBr₃ structure has a wide and direct band gap of 0.7 eV and 0.29 eV, respectively. A shear modulus G of 6.0251 GPa was obtained, indicating that the material is rigid towards reversible deformation. The Young's modulus (E) values of 31.604 GPa and 35.433 GPa for CsGeBr₃ and CsSiBr₃, respectively, indicate that these materials are tough against linear deformation. Pugh's ratio (B/G) of 1.793 is lower than 1.95, and the poisson's ratio of 0.26 obtained demonstrates that CsGeBr₃ is a ductile material.

5.3 Conclusion

Knowledge of the absorption coefficients, lattice parameters, elastic constants, and band gap of a material helps engineers design and fabricate suitable materials for solar cells. From this study, the results obtained can guide experimentalists in developing CsGeBr₃ or CsSiBr₃ materials as potential high-performance solar cell absorbers and as benchmarks for developing perovskite solar cells with higher efficiencies.

5.4 Recommendations

This research on the study of the properties of CsGeBr₃ and CsSiBr₃ recommends the following;

- i. The study only dealt with theoretical findings on structural, electronic, dielectric, and elastic properties of CsGeBr₃ and CsSiBr₃. An experimental study of the cubic, tetragonal, and monoclinic phases of CsGeBr₃ and CsSiBr₃ is recommended.
- ii. The structures were optimized using the Murnaghan equation of state under Quantum Espresso. An extension of this work could be done using another improved exchange-correlation functional.

iii. The band structures, DOS, and charge density maps were only studied in the stable cubic Phase. A study can also be undertaken in the tetragonal and monoclinic phases.

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APPENDICES

Appendix I: Input File for Pwscf Code CsGeBr₃ structure

This software is an integral component of the open-source Quantum ESPRESSO suite, which facilitates quantum simulations of materials. For any publications or presentations that result from the use of this program, please reference the following works: "P. Giannozzi et al., J. Phys.: Condens. Matter 21 395502 (2009);" and "P. Giannozzi et al., J. Phys.: Condens. Matter 29 465901 (2017);" along with the URL <http://www.quantum-espresso.org>. Additional information can be found at <http://www.quantum-espresso.org/quote>. The parallel version of this program, utilizing MPI, is currently operating on 48 processors, with the MPI processes distributed across 2 nodes. The division of R & G space is configured as `proc/nbgrp/npool/nimage = 48`. The program is now awaiting input and is reading from the standard input. The current specifications for the PWSCF program are as follows: the maximum number of distinct atomic species (`ntypx`) is 10, the maximum number of k-points (`npk`) is 40,000, and the maximum angular momentum in pseudopotentials (`lmaxx`) is 3. Atomic positions and the unit cell have been retrieved from the directory: `./out/aiida.save/`. In the iterative solution of the eigenvalue problem, subspace diagonalization will employ one subgroup per band group, utilizing a ScaLAPACK distributed-memory algorithm with a subgroup size of `4 * 4` processors.

& CONTROL

```
calculation = 'scf'
restart_mode='from_scratch',
outdir = './'
prefix = 'aiida'
pseudo_dir = '/mnt/lustre/users/mnamisi/ken/pseudos'
tprnfor = .true.
tstress = .true.
verbosity = 'high'
```

&SYSTEM

```
degauss = 1.4699723600d-02
ecutrho = 400
ecutwfc = 50
```

```

celldm(1) = 10.5971
ibrav = 1
nat = 5
nosym = .false.
ntyp = 3
occupations = 'smearing'
smearing = 'm-v'
&ELECTRONS
conv_thr = 1.0000000000d-09
electron_maxstep = 80
mixing_beta = 0.7
ATOMIC_SPECIES
Br 79.904 br_pbe_v1.4.uspp.F.UPF
Cs 132.9054519 Cs_pbe_v1.uspp.F.UPF
Ge 72.64 ge_pbe_v1.4.uspp.F.UPF
ATOMIC_POSITIONS crystal
Cs 0.0000000000 0.0000000000 0.0000000000
Ge 0.5000000000 0.5000000000 0.5000000000
Br 0.5000000000 0.5000000000 -0.0000000000
Br 0.5000000000 0.0000000000 0.5000000000
Br 0.0000000000 0.5000000000 0.5000000000
K_POINTS automatic
8 8 8 0 0 0

```

Appendix II: Input File for Pwscf Code CsSiBr3 structure

&CONTROL

```
calculation = 'scf'  
restart_mode='from_scratch',  
outdir = './'  
prefix = 'aiida'  
pseudo_dir = '/mnt/lustre/users/mnamisi/ken/pseudos'  
tprnfor = .true.  
tstress = .true.  
verbosity = 'high'
```

&SYSTEM

```
degauss = 1.4699723600d-02  
ecutrho = 400  
ecutwfc = 50  
celldm(1) = 10.3593  
ibrav = 1  
nat = 5  
nosym = .false.  
ntyp = 3  
occupations = 'smearing'  
smearing = 'm-v'
```

&ELECTRONS

```
conv_thr = 1.0000000000d-09  
electron_maxstep = 80  
mixing_beta = 0.7
```

ATOMIC_SPECIES

Br 79.904 br_pbe_v1.4.uspp.F.UPF

Cs 132.9054519 Cs_pbe_v1.uspp.F.UPF

Si 28.0855 Si.pbe-n-rrkjus_psl.0.1.UPF

ATOMIC_POSITIONS crystal

Cs 0.0000000000 0.0000000000 0.0000000000

Si 0.5000000000 0.5000000000 0.5000000000

Br 0.5000000000 0.5000000000 -0.0000000000

Br 0.5000000000 0.0000000000 0.5000000000

Br 0.0000000000 0.5000000000 0.5000000000

K_POINTS automatic

8 8 8 0 0 0

Appendix III: Input File for CsGeBr3 Elastic Constants

```
calculation = 'scf'
restart_mode='from_scratch',
outdir = './'
prefix = 'aiida'
pseudo_dir = '/mnt/lustre/users/mnamisi/ken/pseudos'
tprnfor = .true.
tstress = .true.
verbosity = 'high'
&SYSTEM
degauss = 1.4699723600d-02
ecutrho = 400
ecutwfc = 50
celldm(1) = 10.5971
ibrav = 1
nat = 5
nosym = .false.
ntyp = 3
occupations = 'smearing'
smearing = 'm-v'
&ELECTRONS
conv_thr = 1.0000000000d-09
electron_maxstep = 80
mixing_beta = 0.7
ATOMIC_SPECIES
Br 79.904 br_pbe_v1.4.uspp.F.UPF
Cs 132.9054519 Cs_pbe_v1.uspp.F.UPF
Ge 72.64 ge_pbe_v1.4.uspp.F.UPF
MPI processes distributed on 2 nodes
R & G space division: proc/nbgrp/npool/nimage =48
Reading input from _temporary_1
Info: using nr1, nr2, nr3 values from input
Computing the elastic constants at the minimum volume
```

FFT mesh: (72, 72, 72)

Bravais lattice:

ibrav= 1: simple cubic

Cell parameters:

alat= 10.597100 a.u.

Starting primitive lattice vectors:

crystal axes: (cart. coord. in units of alat)

a(1) = (1.000000 0.000000 0.000000)

a(2) = (0.000000 1.000000 0.000000)

a(3) = (0.000000 0.000000 1.000000)

Starting reciprocal lattice vectors:

reciprocal axes: (cart. coord. in units 2 pi/alat)

b(1) = (1.000000 0.000000 0.000000)

b(2) = (0.000000 1.000000 0.000000)

b(3) = (0.000000 0.000000 1.000000)

Starting atomic positions in Cartesian axes:

site n. atom positions (alat units)

1 Cs tau(1) = (0.000000 0.000000 0.000000)

2 Ge tau(2) = (0.500000 0.500000 0.500000)

3 Br tau(3) = (0.500000 0.500000 0.000000)

4 Br tau(4) = (0.500000 0.000000 0.500000)

5 Br tau(5) = (0.000000 0.500000 0.500000)

Starting atomic positions in crystallographic axes:

site n. atom positions (cryst. coord.)

1 Cs tau(1) = (0.000000 0.000000 0.000000)

2 Ge tau(2) = (0.500000 0.500000 0.500000)

3 Br tau(3) = (0.500000 0.500000 0.000000)

4 Br tau(4) = (0.500000 0.000000 0.500000)

5 Br tau(5) = (0.000000 0.500000 0.500000)

Total mass of this unit cell 445.2575 a.m.u.

Density of this solid 4192.72 kg/m³ 4.1927 g/cm³

Parallelization info

sticks:	dense	smooth	PW	G-vecs:	dense	smooth	PW
Min	71	35	10	3157	1117	172	
Max	72	36	12	3162	1122	175	

Sum 3433 1725 497 151635 53715 8289

bravais-lattice index = 1

lattice parameter (alat) = 10.3971 a.u.

unit-cell volume = 1123.9233 (a.u.)³

number of atoms/cell = 5

number of atomic types = 3

number of electrons = 44.00

number of Kohn-Sham states= 26

kinetic-energy cutoff = 50.0000 Ry

charge density cutoff = 400.0000 Ry

convergence threshold = 1.0E-09

mixing beta = 0.7000

number of iterations used = 8 plain mixing

Exchange-correlation= SLA PW PBX PBC

(1 4 3 4 0 0 0)

nstep = 20

BFGS Geometry Optimization

bfgs converged in 1 scf cycles and 0 bfgs steps

(criteria: energy < 1.0E-04 Ry, force < 1.0E-03 Ry/Bohr)

End of BFGS Geometry Optimization

Final energy = -417.6696402923 Ry

Begin final coordinates

ATOMIC_POSITIONS (crystal)

Cs	0.0000000000	0.0000000000	0.0000000000
Ge	0.5000000000	0.5000000000	0.5000000000
Br	0.5000000000	0.5000000000	-0.0000000000
Br	0.5000000000	-0.0000000000	0.5000000000
Br	-0.0000000000	0.5000000000	0.5000000000

End final coordinates

Writing output data file ../g8/aiida.save/

Elastic constant 3 3

strain stress (kbar)

-0.0075000000 3.4908733529

-0.0025000000 1.0377934863

0.0025000000 -1.3157953938

0.0075000000 -3.5356393332

Polynomial coefficients

a1= -0.104400355399E-05

a2= -0.318590371959E-02

a3= 0.158550587423E-01

Elastic constant 1 3

strain stress (kbar)

-0.0075000000 0.6034545953

-0.0025000000 0.1040516830

0.0025000000 -0.4161640423

0.0075000000 -0.9204083316

Polynomial coefficients

a1= -0.105879158704E-05

a2= -0.692267786475E-03

a3= -0.329110169811E-03

Elastic constant 4 4

strain stress (kbar)

-0.0075000000 1.4363315890

-0.0025000000 0.4798697648

0.0025000000 -0.4815352294

0.0075000000 -1.4511564565

Polynomial coefficients

a1= -0.698112450532E-10

a2= -0.130843487262E-02

a3= -0.894558178058E-03

Elastic constants C_{ij} (kbar)

i j=	1	2	3	4	5	6
1	468.66254	101.83609	101.83609	0.00000	0.00000	0.00000
2	101.83609	468.66254	101.83609	0.00000	0.00000	0.00000
3	101.83609	101.83609	468.66254	0.00000	0.00000	0.00000
4	0.00000	0.00000	0.00000	96.23869	0.00000	0.00000
5	0.00000	0.00000	0.00000	0.00000	96.23869	0.00000
6	0.00000	0.00000	0.00000	0.00000	0.00000	96.23869

1 bar = 10^5 Pa; 10 kbar = 1 GPa; 1 atm = 1.01325 bar; 1 Pa = 1 N/m²

1 Pa = 10 dyn/cm²; 1 Mbar = 10^{11} Pa

1 torr = 1 mm Hg = 1/760 bar = 7.5006×10^{-3} Pa

Elastic compliances S_{ij} (1/Mbar)

i j=	1	2	3	4	5	6
1	2.31317	-0.41291	-0.41291	0.00000	0.00000	-0.00000
2	-0.41291	2.31317	-0.41291	0.00000	0.00000	-0.00000
3	-0.41291	-0.41291	2.31317	0.00000	0.00000	-0.00000
4	0.00000	0.00000	0.00000	10.39083	0.00000	-0.00000
5	0.00000	0.00000	0.00000	0.00000	10.39083	-0.00000
6	0.00000	0.00000	0.00000	0.00000	0.00000	10.39083

1/Mbar = $1/10^{11}$ Pa; 1 Pa = 1 N/m²

Voigt approximation:

Bulk modulus B = 224.11157 kbar

Young modulus E = 329.14136 kbar

Shear modulus G = 131.10850 kbar

Poisson Ratio n = 0.25523

Reuss approximation:

Bulk modulus B = 224.11157 kbar

Young modulus E = 302.94704 kbar

Shear modulus G = 118.83024 kbar

Poisson Ratio n = 0.27471

Voigt-Reuss-Hill average of the two approximations:

Bulk modulus B = 224.11157 kbar

Young modulus E = 316.04420 kbar

Shear modulus G = 124.96937 kbar

Poisson Ratio n = 0.26449

Voigt-Reuss-Hill average; sound velocities:

Compressional V_P = 3051.797 m/s

Bulk V_B = 2311.241 m/s

Shear V_G = 1725.897 m/s

This run was terminated on: 21: 4:36 24Jan2023

= JOB DONE.

Appendix IV: Output File for CsSiBr₃ Elastic Constants

```
&CONTROL
  calculation = 'scf'
  restart_mode='from_scratch',
  outdir = './'
  prefix = 'aiida'
  pseudo_dir = '/mnt/lustre/users/mnamisi/ken/pseudos'
  tprnfor = .true.
  tstress = .true.
  verbosity = 'high'
&SYSTEM
  degauss = 1.4699723600d-02
  ecutrho = 400
  ecutwfc = 50
  celldm(1) = 10.3593
  ibrav = 1
  nat = 5
  nosym = .false.
  ntyp = 3
  occupations = 'smearing'
  smearing = 'm-v'
&ELECTRONS
  conv_thr = 1.0000000000d-09
  electron_maxstep = 80
  mixing_beta = 0.7
ATOMIC_SPECIES
Br 79.904 br_pbe_v1.4.uspp.F.UPF
Cs 132.9054519 Cs_pbe_v1.uspp.F.UPF
Si 28.0855 Si.pbe-n-rrkjus_psl.0.1.UPF
ATOMIC_POSITIONS crystal
Cs 0.0000000000 0.0000000000 0.0000000000
Si 0.5000000000 0.5000000000 0.5000000000
Br 0.5000000000 0.5000000000 -0.0000000000
Br 0.5000000000 0.0000000000 0.5000000000
Br 0.0000000000 0.5000000000 0.5000000000
K_POINTS automatic
8 8 8 0 0 0
```

Appendix V: Output File for CsGeBr₃ Elastic Constants

This software is an integral component of the open-source Quantum ESPRESSO suite, which facilitates quantum simulations of materials. For any publications or presentations that result from the use of this program, please reference the following works: "P. Giannozzi et al., J. Phys.: Condens. Matter 21 395502 (2009);" and "P. Giannozzi et al., J. Phys.: Condens. Matter 29 465901 (2017);" along with the URL <http://www.quantum-espresso.org>. Additional information can be found at <http://www.quantum-espresso.org/quote>. The parallel version of this program, utilizing MPI, is currently operating on 48 processors, with the MPI processes distributed across 2 nodes. The division of R & G space is configured as `proc/nbgrp/npool/nimage = 48`. The program is now awaiting input and is reading from the standard input. The current specifications for the PWSCF program are as follows: the maximum number of distinct atomic species (`ntypx`) is 10, the maximum number of k-points (`nk`) is 40,000, and the maximum angular momentum in pseudopotentials (`lmaxx`) is 3. Atomic positions and the unit cell have been retrieved from the directory: `./out/aiida.save/`. In the iterative solution of the eigenvalue problem, subspace diagonalization will employ one subgroup per band group, utilizing a ScaLAPACK distributed-memory algorithm with a subgroup size of $4 * 4$ processors.

The information regarding parallelization has been generated using the Vanderbilt code, version 7.3.6, authored by kfg, with the generation date recorded as May 13, 2013. The original format has been automatically converted, and the Pseudo was produced through a Scalar-Relativistic Calculation. The local potential cutoff radius is specified as `2.300000000000E+00`, with various parameters such as `nl`, `pn`, `l`, occupancy, `Rcut`, `Gcut`, and pseudopotential values detailed for different orbital types, including 5S, 5P, 5D, 6S, and 6P.

The header section provides essential details, including the version number, the element being analyzed (Cs), and the type of pseudopotential employed (Ultrasoft). It also indicates the presence of a Nonlinear Core Correction and specifies the exchange-correlation functional used, which is the PBE. The valence `Z` is noted as `9.000000000000`, with the total energy calculated at `-63.00384417630`. Suggested cutoffs for wavefunctions and charge density are both indicated as `0.000000`, while the maximum angular momentum component is set at 2, and the mesh comprises 905 points. The

number of wavefunctions and projectors is recorded as 5 and 6, respectively, with detailed occupancy values for the various wavefunctions.

The mesh section outlines the radial coordinates, beginning from 0.0000000000E+00 and extending to 5.67720230969E-06, providing a comprehensive range of values. Additionally, the PP_DIJ subsection lists the number of nonzero D_{ij} values, which totals nine. Each entry specifies the indices and corresponding D_{ij} values, illustrating the interactions between different components, with notable values such as 1.29207215929E+00, -1.76637262031E+00, and 1.39232024315E+00, among others, reflecting the complexity of the system being analyzed.

MPI processes distributed on 2 nodes

R & G space division: proc/nbgrp/npool/nimage =48

Reading input from _temporary_1

Info: using nr1, nr2, nr3 values from input

Computing the elastic constants at the minimum volume

FFT mesh: (72, 72, 72)

Bravais lattice:

ibrav= 1: simple cubic

Cell parameters:

alat= 10.597100 a.u.

Starting primitive lattice vectors:

crystal axes: (cart. coord. in units of alat)

$a(1) = (1.000000 \ 0.000000 \ 0.000000)$

$a(2) = (0.000000 \ 1.000000 \ 0.000000)$

$a(3) = (0.000000 \ 0.000000 \ 1.000000)$

Starting reciprocal lattice vectors:

reciprocal axes: (cart. coord. in units 2 pi/alat)

$b(1) = (1.000000 \ 0.000000 \ 0.000000)$

$b(2) = (0.000000 \ 1.000000 \ 0.000000)$

$b(3) = (0.000000 \ 0.000000 \ 1.000000)$

Starting atomic positions in Cartesian axes:

site n. atom positions (alat units)

1 Cs tau(1) = (0.0000000 0.0000000 0.0000000)
 2 Ge tau(2) = (0.5000000 0.5000000 0.5000000)
 3 Br tau(3) = (0.5000000 0.5000000 0.0000000)
 4 Br tau(4) = (0.5000000 0.0000000 0.5000000)
 5 Br tau(5) = (0.0000000 0.5000000 0.5000000)

Starting atomic positions in crystallographic axes:

site n.	atom	positions (cryst. coord.)
1	Cs tau(1)	= (0.0000000 0.0000000 0.0000000)
2	Ge tau(2)	= (0.5000000 0.5000000 0.5000000)
3	Br tau(3)	= (0.5000000 0.5000000 0.0000000)
4	Br tau(4)	= (0.5000000 0.0000000 0.5000000)
5	Br tau(5)	= (0.0000000 0.5000000 0.5000000)

Parallelization info

sticks:	dense	smooth	PW	G-vecs:	dense	smooth	PW
Min	71	35	10	3157	1117	172	
Max	72	36	12	3162	1122	175	
Sum	3433	1725	497	151635	53715	8289	

bravais-lattice index = 1
 lattice parameter (alat) = 10.3971 a.u.
 unit-cell volume = 1123.9233 (a.u.)^3
 number of atoms/cell = 5
 number of atomic types = 3
 number of electrons = 44.00
 number of Kohn-Sham states = 26
 kinetic-energy cutoff = 50.0000 Ry
 charge density cutoff = 400.0000 Ry
 convergence threshold = 1.0E-09
 mixing beta = 0.7000
 number of iterations used = 8 plain mixing
 Exchange-correlation = SLA PW PBX PBC
 (1 4 3 4 0 0 0)
 nstep = 20

ATOMIC_POSITIONS (crystal)

Cs 0.0000000000 0.0000000000 0.0000000000

Ge	0.5000000000	0.5000000000	0.5000000000
Br	0.5000000000	0.5000000000	-0.0000000000
Br	0.5000000000	-0.0000000000	0.5000000000
Br	-0.0000000000	0.5000000000	0.5000000000

End final coordinates

Writing output data file ../g8/aiida.save/

Elastic constant 3 3

strain stress (kbar)

-0.0075000000	3.4908733529
-0.0025000000	1.0377934863
0.0025000000	-1.3157953938
0.0075000000	-3.5356393332

Polynomial coefficients

a1= -0.104400355399E-05

a2= -0.318590371959E-02

a3= 0.158550587423E-01

Elastic constant 1 3

strain stress (kbar)

-0.0075000000	0.6034545953
-0.0025000000	0.1040516830
0.0025000000	-0.4161640423
0.0075000000	-0.9204083316

Polynomial coefficients

a1= -0.105879158704E-05

a2= -0.692267786475E-03

a3= -0.329110169811E-03

Elastic constant 4 4

strain stress (kbar)

-0.0075000000	1.4363315890
-0.0025000000	0.4798697648
0.0025000000	-0.4815352294
0.0075000000	-1.4511564565

Polynomial coefficients

a1= -0.698112450532E-10

$$a_2 = -0.130843487262E-02$$

$$a_3 = -0.894558178058E-03$$

Elastic constants C_{ij} (kbar)

$ij =$	1	2	3	4	5	6
1	468.66254	101.83609	101.83609	0.00000	0.00000	0.00000
2	101.83609	468.66254	101.83609	0.00000	0.00000	0.00000
3	101.83609	101.83609	468.66254	0.00000	0.00000	0.00000
4	0.00000	0.00000	0.00000	96.23869	0.00000	0.00000
5	0.00000	0.00000	0.00000	0.00000	96.23869	0.00000
6	0.00000	0.00000	0.00000	0.00000	0.00000	96.23869

$$1 \text{ bar} = 10^5 \text{ Pa}; 10 \text{ kbar} = 1 \text{ GPa}; 1 \text{ atm} = 1.01325 \text{ bar}; 1 \text{ Pa} = 1 \text{ N/m}^2$$

$$1 \text{ Pa} = 10 \text{ dyn/cm}^2; 1 \text{ Mbar} = 10^{11} \text{ Pa}$$

$$1 \text{ torr} = 1 \text{ mm Hg} = 1/760 \text{ bar} = 7.5006 \times 10^{-3} \text{ Pa}$$

Elastic compliances S_{ij} (1/Mbar)

$ij =$	1	2	3	4	5	6
1	2.31317	-0.41291	-0.41291	0.00000	0.00000	-0.00000
2	-0.41291	2.31317	-0.41291	0.00000	0.00000	-0.00000
3	-0.41291	-0.41291	2.31317	0.00000	0.00000	-0.00000
4	0.00000	0.00000	0.00000	10.39083	0.00000	-0.00000
5	0.00000	0.00000	0.00000	0.00000	10.39083	-0.00000
6	0.00000	0.00000	0.00000	0.00000	0.00000	10.39083

$$1/\text{Mbar} = 1/10^{11} \text{ Pa}; 1 \text{ Pa} = 1 \text{ N/m}^2$$

Voigt approximation:

$$\text{Bulk modulus } B = 224.11157 \text{ kbar}$$

$$\text{Young modulus } E = 329.14136 \text{ kbar}$$

$$\text{Shear modulus } G = 131.10850 \text{ kbar}$$

$$\text{Poisson Ratio } \nu = 0.25523$$

Reuss approximation:

$$\text{Bulk modulus } B = 224.11157 \text{ kbar}$$

$$\text{Young modulus } E = 302.94704 \text{ kbar}$$

$$\text{Shear modulus } G = 118.83024 \text{ kbar}$$

$$\text{Poisson Ratio } \nu = 0.27471$$

Voigt-Reuss-Hill average of the two approximations:

$$\text{Bulk modulus } B = 224.11157 \text{ kbar}$$

Young modulus E = 316.04420 kbar

Shear modulus G = 124.96937 kbar

Poisson Ratio n = 0.26449

Voigt-Reuss-Hill average; sound velocities:

Compressional V_P = 3051.797 m/s

Bulk V_B = 2311.241 m/s

Shear V_G = 1725.897 m/s

The approximate Debye temperature is 174.272 K

This run was terminated on: 21: 4:36 24Jan2023

= JOB DONE.

MPI processes are distributed on 2 nodes

R & G space division: proc/nbgrp/npool/nimage =48

Reading input from _temporary_1

Info: using nr1, nr2, nr3 values from input

Computing the elastic constants at the minimum volume

FFT mesh: (72, 72, 72)

Bravais lattice:

ibrav= 1: simple cubic

Cell parameters:

alat= 10.597100 a.u.

Starting primitive lattice vectors:

crystal axes: (cart. coord. in units of alat)

a(1) = (1.000000 0.000000 0.000000)

a(2) = (0.000000 1.000000 0.000000)

a(3) = (0.000000 0.000000 1.000000)

Starting reciprocal lattice vectors:

reciprocal axes: (cart. coord. in units 2 pi/alat)

b(1) = (1.000000 0.000000 0.000000)

b(2) = (0.000000 1.000000 0.000000)

b(3) = (0.000000 0.000000 1.000000)

Starting atomic positions in Cartesian axes:

site n.	atom	positions (alat units)
1	Cs	tau(1) = (0.000000 0.000000 0.000000)
2	Ge	tau(2) = (0.500000 0.500000 0.500000)
3	Br	tau(3) = (0.500000 0.500000 0.000000)

4 Br tau(4) = (0.5000000 0.0000000 0.5000000)

5 Br tau(5) = (0.0000000 0.5000000 0.5000000)

Starting atomic positions in crystallographic axes:

Program PWSCF v.6.4.1 begins on 31Jan2023 at 20:42:52

MPI processes distributed on 2 nodes

R & G space division: proc/nbgrp/npool/nimage =48

Reading input from _temporary_1

Info: using nr1, nr2, nr3 values from input

Computing the elastic constants at the minimum volume

FFT mesh: (72, 72, 72)

Bravais lattice:

ibrav= 1: simple cubic

Cell parameters:

alat= 10.597100 a.u.

Starting primitive lattice vectors:

crystal axes: (cart. coord. in units of alat)

a(1) = (1.000000 0.000000 0.000000)

a(2) = (0.000000 1.000000 0.000000)

a(3) = (0.000000 0.000000 1.000000)

Starting reciprocal lattice vectors:

reciprocal axes: (cart. coord. in units 2 pi/alat)

Min 70 35 10 3122 1101 170

Max 71 36 11 3131 1106 175

Aggregate 3397 1701 489 150117 52923 8217

bravais-cross section list = 1

cross-section boundary (alat) = 10.3593 a.u.

unit-cell volume = 1111.7093 (a.u.)³

number of iotas/cell = 5

number of nuclear kinds = 3

number of electrons = 34.00

number of Kohn-Joke states= 200

active energy cutoff = 50.0000 Ry

charge thickness cutoff = 400.0000 Ry

Appendix VI: Output File for CsSiBr₃ Elastic Constants

Program PWSCF v.6.4.1 begins on 31Jan2023 at 20:42:52
MPI processes distributed on 2 nodes
R & G space division: proc/nbgrp/npool/nimage =48
Reading input from _temporary_1
Info: using nr1, nr2, nr3 values from input
Computing the elastic constants at the minimum volume
FFT mesh: (72, 72, 72)
Bravais lattice:
ibrav= 1: simple cubic
Cell parameters:
alat= 10.597100 a.u.
Starting primitive lattice vectors:
crystal axes: (cart. coord. in units of alat)
a(1) = (1.000000 0.000000 0.000000)
a(2) = (0.000000 1.000000 0.000000)
a(3) = (0.000000 0.000000 1.000000)
Starting reciprocal lattice vectors:
reciprocal axes: (cart. coord. in units 2 pi/alat)
Min 70 35 10 3122 1101 170
Max 71 36 11 3131 1106 175
Aggregate 3397 1701 489 150117 52923 8217
bravais-cross section list = 1
cross-section boundary (alat) = 10.3593 a.u.
unit-cell volume = 1111.7093 (a.u.)³
number of iotas/cell = 5
number of nuclear kinds = 3
number of electrons = 34.00
number of Kohn-Joke states= 200
active energy cutoff = 50.0000 Ry
charge thickness cutoff = 400.0000 Ry
Trade relationship = PBE (1 4 3 4 0 0)
celldm(1)= 10.359300 celldm(2)= 0.000000 celldm(3)= 0.000000

celldm(4)= 0.000000 celldm(5)= 0.000000 celldm(6)= 0.000000

precious stone tomahawks: (truck. coord. in units of alat)

a(1) = (1.000000 0.000000 0.000000)

a(2) = (0.000000 1.000000 0.000000)

a(3) = (0.000000 0.000000 1.000000)

equal tomahawks: (truck. coord. in units 2 pi/alat)

b(1) = (1.000000 0.000000 0.000000)

b(2) = (0.000000 1.000000 0.000000)

Called by h_psi:

h_psi:pot : 77.80s CPU 80.41s WALL (3436 calls)

h_psi:calbec : 2.33s CPU 2.38s WALL (3436 calls)

vloc_psi : 74.15s CPU 76.71s WALL (3436 calls)

add_vuspsi : 1.31s CPU 1.31s WALL (3436 calls)

General routines

calbec : 2.33s CPU 2.37s WALL (3436 calls)

fft : 0.01s CPU 0.01s WALL (13 calls)

ffts : 0.00s CPU 0.00s WALL (1 calls)

fftw : 72.24s CPU 74.31s WALL (916496 calls)

interpolate : 0.00s CPU 0.00s WALL (1 calls)

davcio : 0.07s CPU 0.18s WALL (324 calls)

Parallel routines

fft_scatt_xy : 1.89s CPU 2.63s WALL (916510 calls)

fft_scatt_yz : 61.70s CPU 60.33s WALL (916510 calls)

PWSCF : 11m55.54s CPU 12m19.89s WALL

This run was terminated on: 20:55:12 31Jan2023

=====

Appendix VII: Output File for Electronic Band Structure

Program PWSCF v.6.4.1 starts on 25Jan2023 at 5:20:44

This program is part of the open-source Quantum ESPRESSO suite for quantum simulation of materials; please cite

"P. Giannozzi et al., J. Phys.:Condens. Matter 21 395502 (2009);

"P. Giannozzi et al., J. Phys.:Condens. Matter 29 465901 (2017);

URL <http://www.quantum-espresso.org>",

in publications or presentations arising from this work. More details at <http://www.quantum-espresso.org/quote>

Parallel version (MPI), running on 48 processors

MPI processes distributed on 2 nodes

R & G space division: `proc/nbgrp/npool/nimage = 48`

Waiting for input...

Reading input from standard input

Current dimensions of program PWSCF are:

Max number of different atomic species (`ntypx`) = 10

Max number of k-points (`npk`) = 40000

Max angular momentum in pseudopotentials (`lmaxx`) = 3

Atomic positions and unit cell read from directory:

`./out/aiida.save/`

Subspace diagonalization in iterative solution of the eigenvalue problem:

one subgroup per band group will be used

scalapack distributed-memory algorithm (size of sub-group: 4* 4 procs)

Parallelization info

sticks:	dense	smooth	PW	G-vecs:	dense	smooth	PW
Min	74	37	10	3346	1177	180	
Max	75	38	11	3351	1183	185	
Sum	3569	1781	509	160707	56667	8733	

bravais-lattice index = 1

lattice parameter (`alat`) = 10.5971 a.u.

unit-cell volume = 1190.0387 (a.u.)³

number of atoms/cell = 5
number of atomic types = 3
number of electrons = 44.00
number of Kohn-Sham states= 200
kinetic-energy cutoff = 50.0000 Ry
charge density cutoff = 400.0000 Ry
Exchange-correlation = SLA PW PBX PBC (1 4 3 4 0 0)
celldm(1)= 10.597100 celldm(2)= 0.000000 celldm(3)= 0.000000
celldm(4)= 0.000000 celldm(5)= 0.000000 celldm(6)= 0.000000
crystal axes: (cart. coord. in units of alat)

a(1) = (1.000000 0.000000 0.000000)

a(2) = (0.000000 1.000000 0.000000)

a(3) = (0.000000 0.000000 1.000000)

reciprocal axes: (cart. coord. in units 2 pi/alat)

b(1) = (1.000000 0.000000 0.000000)

b(2) = (0.000000 1.000000 0.000000)

b(3) = (0.000000 0.000000 1.000000)

PseudoPot # 1 for Br read from file:

/mnt/lustre/users/mnamisi/ken/pseudos/br_pbe_v1.4.uspp.F.UPF

MD5 checksum: d3ffb7b29f6225aa16fe06858fb2a80b

Pseudo is ultrasoft + core correction, Zval = 7.0

Generated by new atomic code, or converted to UPF format

Using a radial grid of 879 points, 6 beta functions with:

<http://www.quantum-espresso.org/quote>

Parallel version (MPI), running on 48 processors

MPI processes are distributed on 2 nodes

R & G space division: proc/nbgrp/npool/nimage = 48

Waiting for input...

Reading input from standard input

Current dimensions of the program PWSCF are:

Max number of different atomic species (ntypx) = 10

Max number of k-points (nkp) = 40000

Max angular momentum in pseudopotentials (lmaxx) = 3

Atomic positions and unit cell read from directory:

./out/aiida.save/

Subspace diagonalization in iterative solution of the eigenvalue problem:
one subgroup per band group will be used

scalapack distributed-memory algorithm (size of sub-group: 4* 4 procs)

PseudoPot # 2 for Cs read from file:

/mnt/lustre/users/mnamisi/ken/pseudos/Cs_pbe_v1.uspp.F.UPF

MD5 checksum: 3476d69cb178dfad3ffaa59df4e07ca4

Pseudo is ultrasoft + core correction, Zval = 9.0

Generated by new atomic code, or converted to UPF format

Using a radial grid of 905 points, 6 beta functions with:

$$l(1) = 0$$

$$l(2) = 0$$

$$l(3) = 1$$

$$l(4) = 1$$

$$l(5) = 2$$

$$l(6) = 2$$

Q(r) pseudized with 6 coefficients, rinner = 1.500 1.500 1.500
1.500 1.500

PseudoPot # 3 for Ge read from file:

/mnt/luster/users/mnamisi/ken/pseudos/ge_pbe_v1.4.uspp.F.UPF

MD5 checksum: 9c9eaa91e581c3f09632fb3098b2c6b2

Pseudo is ultrasoft + core correction, Zval = 14.0

Generated by new atomic code, or converted to UPF format

Using a radial grid of 873 points, 6 beta functions with:

$$l(1) = 0$$

$$l(2) = 0$$

$$l(3) = 1$$

$$l(4) = 1$$

$$l(5) = 2$$

$$l(6) = 2$$

Q(r) pseudized with 8 coefficients, rinner = 1.400 1.400 1.400
1.400 1.400

atomic species valence mass pseudopotential

Br 7.00 79.90400 Br(1.00)

Cs 9.00 132.90545 Cs(1.00)
Ge 14.00 72.64000 Ge(1.00)

Called by sum_band:

Called by *egterg:

h_psi : 72.35s CPU 74.88s WALL (3460 calls)
s_psi : 1.60s CPU 1.60s WALL (3460 calls)
g_psi : 0.44s CPU 0.44s WALL (3106 calls)
cdiaghg : 500.78s CPU 511.14s WALL (3268 calls)
cegterg:over : 30.81s CPU 31.75s WALL (3106 calls)
cegterg:upda : 18.68s CPU 18.76s WALL (3106 calls)
cegterg:last : 13.25s CPU 13.29s WALL (678 calls)
cdiaghg:chol : 25.00s CPU 25.64s WALL (3268 calls)
cdiaghg:inve : 28.78s CPU 29.02s WALL (3268 calls)
cdiaghg:para : 56.89s CPU 61.18s WALL (6536 calls)

Called by h_psi:

h_psi:pot : 72.08s CPU 74.60s WALL (3460 calls)
h_psi:calbec : 2.36s CPU 2.41s WALL (3460 calls)
vloc_psi : 68.16s CPU 70.62s WALL (3460 calls)
add_vuspsi : 1.55s CPU 1.56s WALL (3460 calls)

General routines

calbec : 2.36s CPU 2.41s WALL (3460 calls)
fft : 0.01s CPU 0.01s WALL (13 calls)
ffts : 0.00s CPU 0.00s WALL (1 calls)
fftw : 66.33s CPU 68.22s WALL (908854 calls)
interpolate : 0.00s CPU 0.00s WALL (1 calls)
davicio : 0.07s CPU 0.18s WALL (324 calls)

Parallel routines

fft_scatt_xy : 1.75s CPU 2.61s WALL (908868 calls)
fft_scatt_yz : 55.78s CPU 53.98s WALL (908868 calls)
PWSCF : 11m 0.76s CPU 11m24.44s WALL

This run was terminated on: 5:32: 8 25Jan2023

=====

Appendix VIII: Output File for Optical Properties

This software is an integral component of the open-source Quantum ESPRESSO suite, which facilitates quantum simulations of materials. For any publications or presentations that result from the use of this program, please reference the following works: "P. Giannozzi et al., J. Phys.: Condens. Matter 21 395502 (2009);" and "P. Giannozzi et al., J. Phys.: Condens. Matter 29 465901 (2017);" along with the URL <http://www.quantum-espresso.org>. Additional information can be found at <http://www.quantum-espresso.org/quote>. The parallel version of this program, utilizing MPI, is currently operating on 48 processors, with the MPI processes distributed across 2 nodes. The division of R & G space is configured as `proc/nbgrp/npool/nimage = 48`. The program is now awaiting input and is reading from the standard input. The current specifications for the PWSCF program are as follows: the maximum number of distinct atomic species (`ntypx`) is 10, the maximum number of k-points (`npk`) is 40,000, and the maximum angular momentum in pseudopotentials (`lmaxx`) is 3. Atomic positions and the unit cell have been retrieved from the directory: `./out/aiida.save/`. In the iterative solution of the eigenvalue problem, subspace diagonalization will employ one subgroup per band group, utilizing a ScaLAPACK distributed-memory algorithm with a subgroup size of $4 * 4$ processors.


The information regarding parallelization has been generated using the Vanderbilt code, version 7.3.6, authored by kfg, with the generation date recorded as May 13, 2013. The original format has been automatically converted, and the Pseudo was produced through a Scalar-Relativistic Calculation. The local potential cutoff radius is specified as `2.300000000000E+00`, with various parameters such as `nl`, `pn`, `l`, occupancy, `Rcut`, `Gcut`, and pseudopotential values detailed for different orbital types, including 5S, 5P, 5D, 6S, and 6P.

The header section provides essential details, including the version number, the element being analyzed (Cs), and the type of pseudopotential employed (Ultrasoft). It also indicates the presence of a Nonlinear Core Correction and specifies the exchange-correlation functional used, which is the PBE. The valence Z is noted as `9.000000000000`, with the total energy calculated at `-63.00384417630`. Suggested cutoffs for wavefunctions and charge density are both indicated as `0.000000`, while the maximum

angular momentum component is set at 2, and the mesh comprises 905 points. The number of wavefunctions and projectors is recorded as 5 and 6, respectively, with detailed occupancy values for the various wavefunctions.

The mesh section outlines the radial coordinates, beginning from 0.0000000000E+00 and extending to 5.67720230969E-06, providing a comprehensive range of values. Additionally, the PP_DIJ subsection lists the number of nonzero Dij values, which totals nine. Each entry specifies the indices and corresponding Dij values, illustrating the interactions between different components, with notable values such as 1.29207215929E+00, -1.76637262031E+00, and 1.39232024315E+00, among others, reflecting the complexity of the system being analyzed.

Appendix IX: KUREC Clearance Letter



KABARAK UNIVERSITY RESEARCH ETHICS COMMITTEE

Private Bag - 20157
KABARAK, KENYA
Email: kurec@kabarak.ac.ke

Tel: 254-51-343234/5
Fax: 254-051-343529
www.kabarak.ac.ke

OUR REF: KABU01/KUREC/001/04/12/22

Date: 15-12-2022

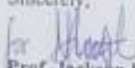
KENNEDY JUMA WANYAMA
GMP/M/OO50/01/21
Kabarak University

RE: "A FIRST PRINCIPLES INVESTIGATION ON THE PERFORMANCE OF C_xXBr_3 ($X=Si,Ge$) THIN FILMS FOR SOLAR CELLS APPLICATION"


This is to inform you that *KUREC* has reviewed and approved your above research proposal. Your application approval number is *KUREC-041222*. The approval period is *15/12/2022 – 15/12/2023*.

This approval is subject to compliance with the following requirements:




- i. All researchers shall obtain an introduction letter to NACOSTI from the relevant head of institutions (Institute of postgraduate, School dean or Directorate of research)
- ii. The researcher shall further obtain a RESEARCH PERMIT from NACOSTI before commencement of data collection & submit a copy of the permit to *KUREC*.
- iii. Only approved documents including (informed consents, study instruments, MTA Material Transfer Agreement) will be used
- iv. All changes including (amendments, deviations, and violations) are submitted for review and approval by *KUREC*.
- v. Death and life-threatening problems and serious adverse events or unexpected adverse events whether related or unrelated to the study must be reported to *KUREC* within 72 hours of notification;
- vi. Any changes, anticipated or otherwise that may increase the risk(s) or affected safety or welfare of study participants and others or affect the integrity of the research must be reported to *KUREC* within 72 hours;
- vii. Clearance for export of biological specimens must be obtained from relevant institutions and submit a copy of the permit to *KUREC*;
- viii. Submission of a request for renewal of approval at least 60 days prior to expiry of the approval period. Attach a comprehensive progress report to support the renewal and;
- ix. Submission of an executive summary report within 90 days upon completion of the study to *KUREC*

Sincerely,

Prof. Jackson Kitefu Ph.D.
KUREC-Chairman

Cc Vice Chancellor
DVC-Academic & Research
Registrar-Academic & Research
Director-Research Innovation & Outreach
Institute of Post Graduate Studies



APPROVED
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As members of Kabarak University family, we purpose at all times and in all places, to set apart in one's heart, Jesus as Lord

 Kabarak  

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Appendix X:NACOSTI Research Permit


REPUBLIC OF KENYA


NATIONAL COMMISSION FOR
SCIENCE, TECHNOLOGY & INNOVATION

Ref No: **138327** Date of Issue: **02/March/2023**


RESEARCH LICENSE




This is to Certify that Mr. Kennedy juma wanyama of Kabarak University, has been licensed to conduct research as per the provision of the Science, Technology and Innovation Act, 2013 (Rev.2014) in Nakuru on the topic: A FIRST PRINCIPLES INVESTIGATION ON THE PERFORMANCE OF CsXBr3 (X=Si,Ge) THIN FILMS FOR SOLAR CELLS APPLICATIONS for the period ending : 02/March/2024.

License No: **NACOSTI/P/23/23967**

138327
Applicant Identification Number


Director General
NATIONAL COMMISSION FOR
SCIENCE, TECHNOLOGY &
INNOVATION

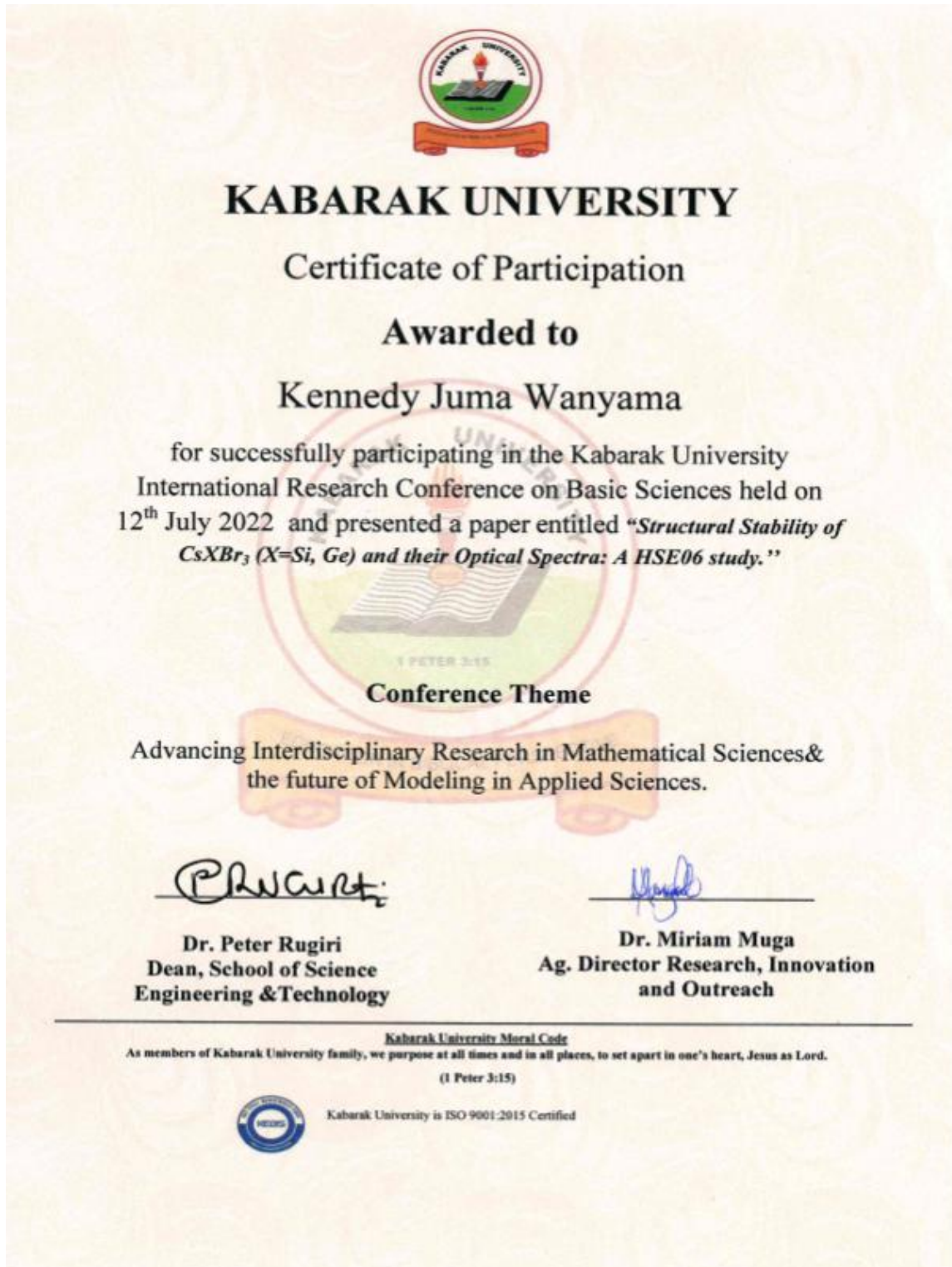
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Appendix XI: Evidence of Conference Participation





An *ab Initio* Study of Mechanical and Electronic Properties of Stable Phases of CsXBr_3 (X = Ge, Si) Compounds for Solar Cell Applications

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How to cite this paper: Juma Wanyama, K., Nyawere, P.W.O. and Sifuna, J. (2023) An *ab Initio* Study of Mechanical and Electronic Properties of Stable Phases of CsXBr_3 (X = Ge, Si) Compounds for Solar Cell Applications. *Open Journal of Microphysics*, 13, 15-26.
<https://doi.org/10.4236/ojm.2023.132002>

Received: May 13, 2023

Accepted: May 27, 2023

Published: May 30, 2023

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Open Access

Abstract

Utilising the density functional theory, the mechanical and electrical characteristics of Cesium Germanium Bromide, CsGeBr_3 and Cesium Silicon Bromide CsSiBr_3 compounds were computed. The complicated and unique physical and chemical properties of these materials include the ideal geometric property, a limited electronic band structure, a charge density distribution, and specific van Hove singularities in the electronic density of states. With the use of the quantum espresso code and pseudo-potentials taken from the quantum espresso data repository, we have applied density functional theory. Plane Wave (PW) basis set and Projector Augmented Wave (PAW) pseudo potentials were used to compute the ground state energy. For the exchange correlation, where plane wave basis sets are used to expand the electronic structure wave function, the Generalised Gradient Approximation (GGA) was employed. For the computation of mechanical behaviour, including the bulk modulus and elastic constants with their derivatives, Thermo_pw was used as a post-processing algorithm. The theoretical framework that is being taught gives a thorough understanding of the many qualities and possible uses for solar cells and other opto-electronic devices. Both the cubic (high-temperature) and tetragonal (low-temperature) phases of CsGeBr_3 were discovered to have an appropriate gap for solar cells. The edge-sharing monoclinic phase exhibits a greater distortion of the band structure than the cubic phase, which has a lower total energy and a somewhat bigger electronic gap. Although our estimations are less definite because the matching silicon-based compounds have not yet been created, they nonetheless point to a small gap for cubic CsGeBr_3 of about 0.2 - 0.8 eV.

Keywords

Electronic, Mechanical Stability, Perovskite